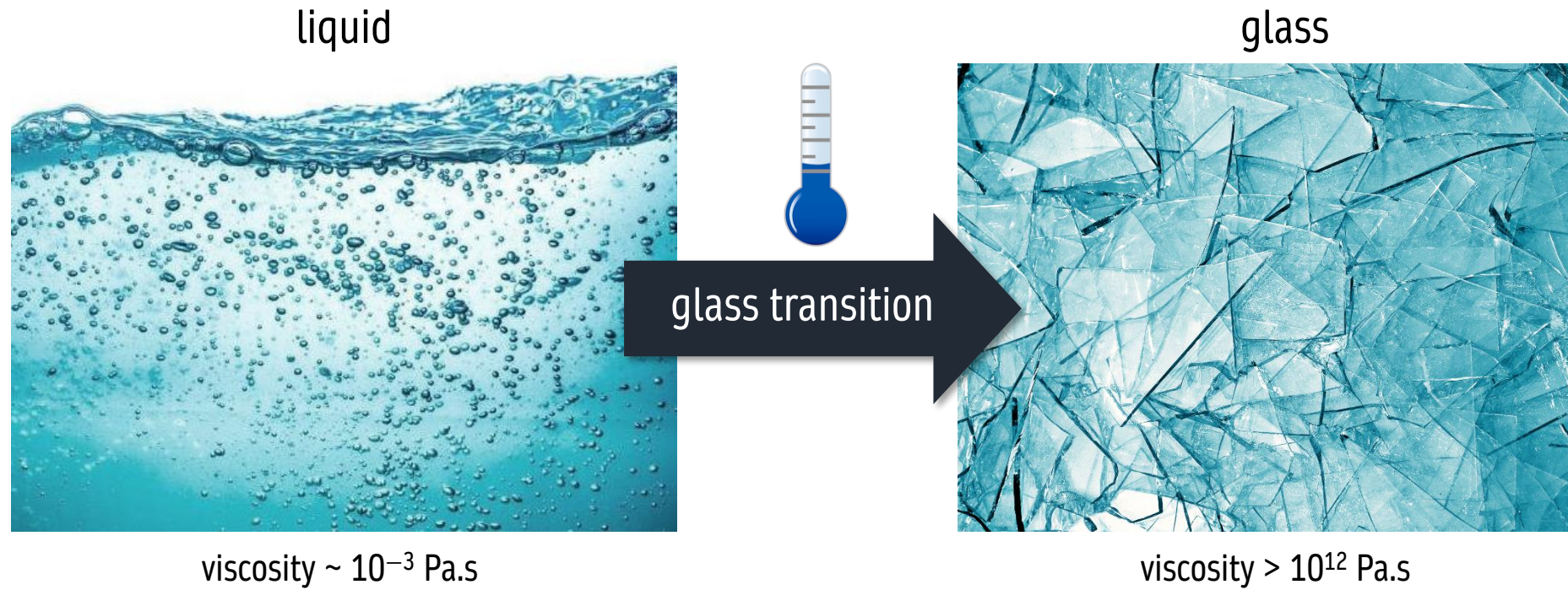


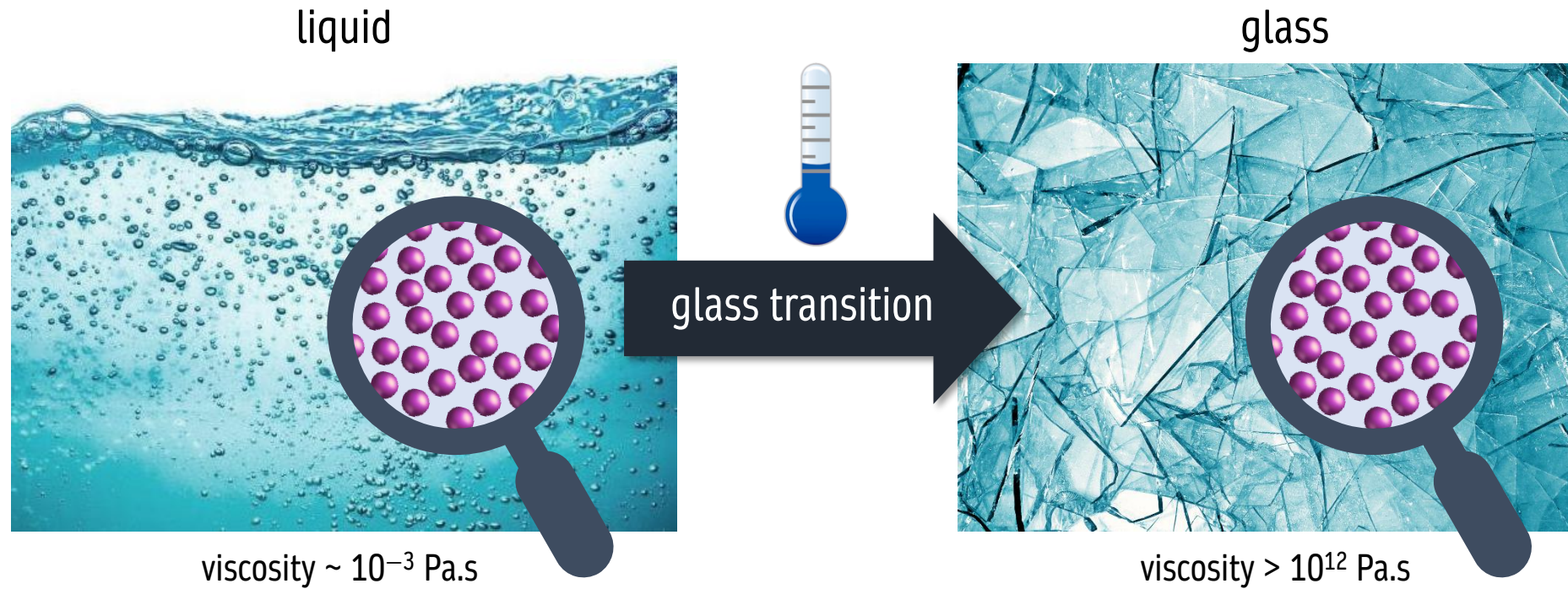
Glassy physics: from liquids to living cells

Liesbeth M.C. Janssen
Department of Applied Physics, Eindhoven University of Technology, NL

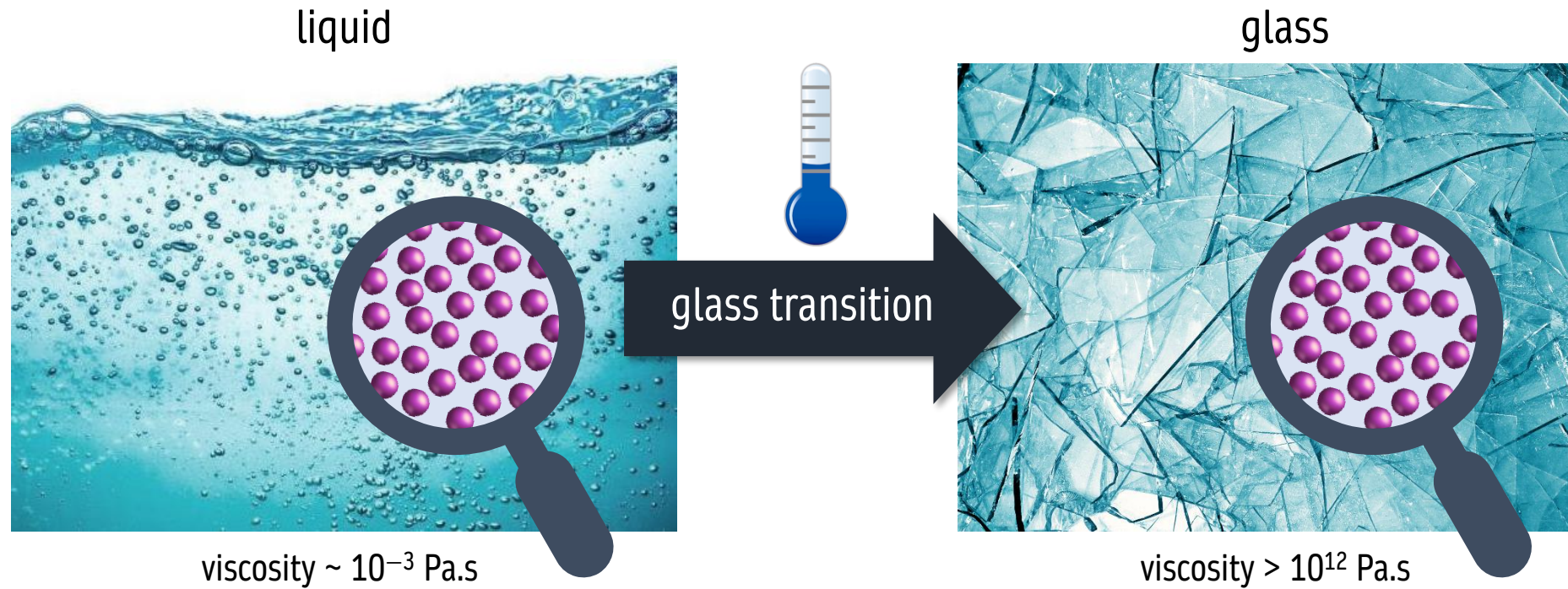
The glass transition: A ubiquitous, but highly complex phenomenon!



The glass transition: A ubiquitous, but highly complex phenomenon!



The glass transition: A ubiquitous, but highly complex phenomenon!



The glass transition: A ubiquitous, but highly complex phenomenon!

liquid

glass

“the deepest and most interesting
unsolved problem in solid state theory”

–Philip Anderson, Science 1995



Science, July 2005

St.

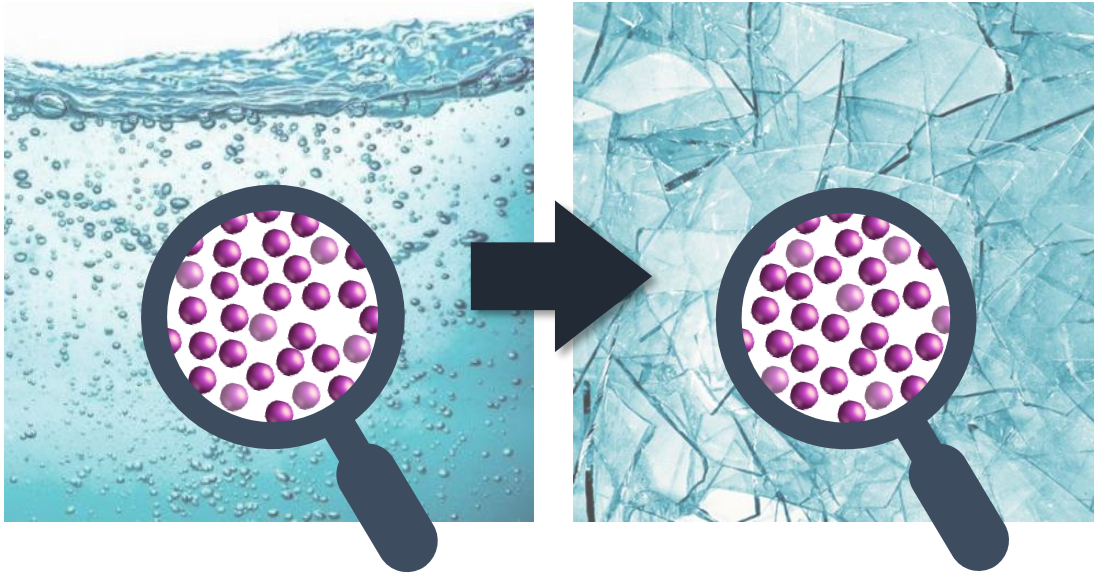
amics

A big problem for theoretical physics, but great for biology!

Physics

liquid

glass (solid)



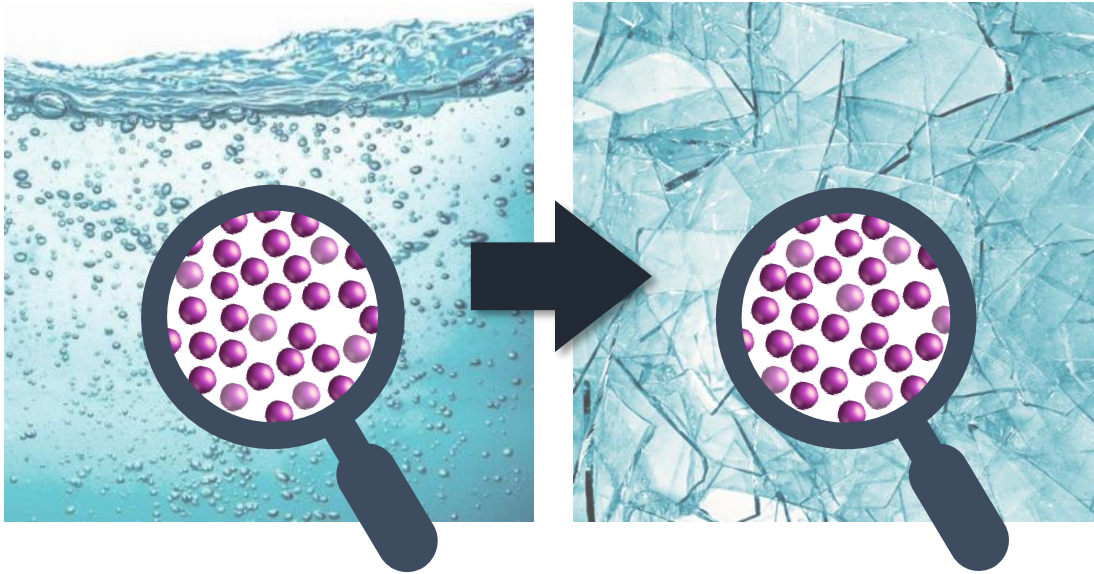
Lack of a clear structural order parameter ...

A big problem for theoretical physics, but great for biology!

Physics

liquid

glass (solid)

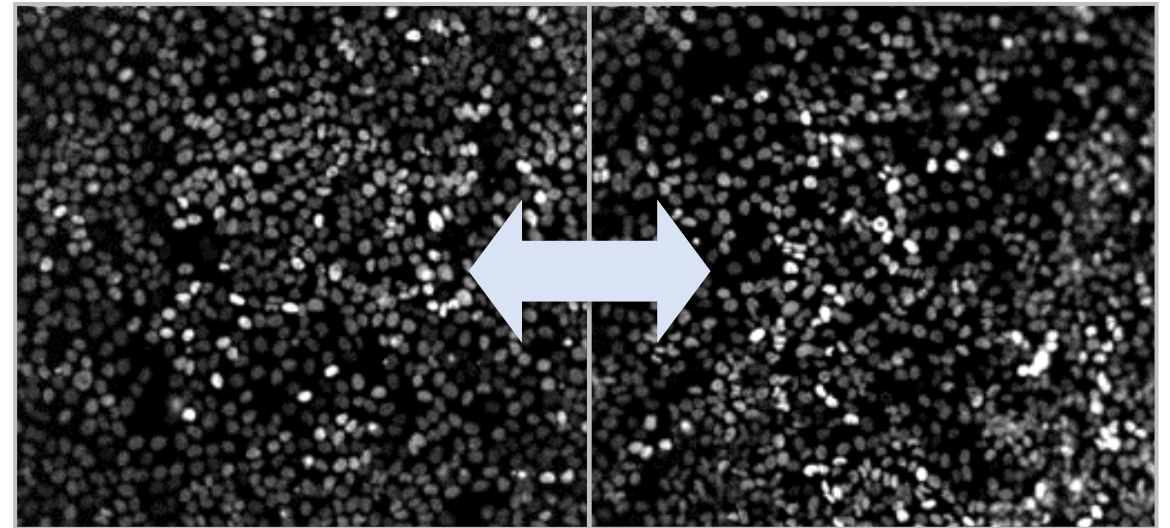


Lack of a clear structural order parameter ...

Biology

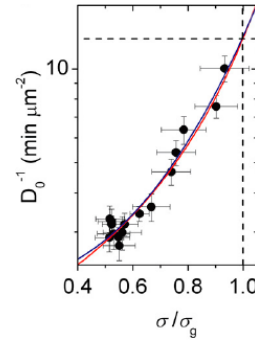
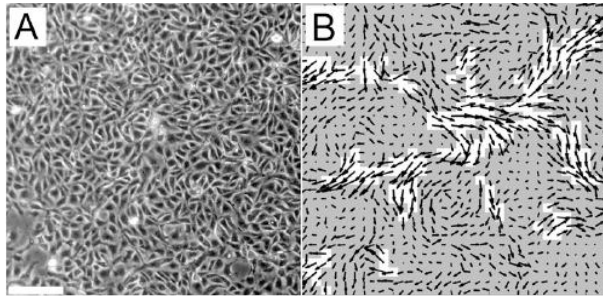
liquid-like (“unjammed”) cells

solid-like (“jammed”) cells



Angelini *et al.*, PNAS (2011); Lång, ... Janssen, ... Nat. Comm. (2018)

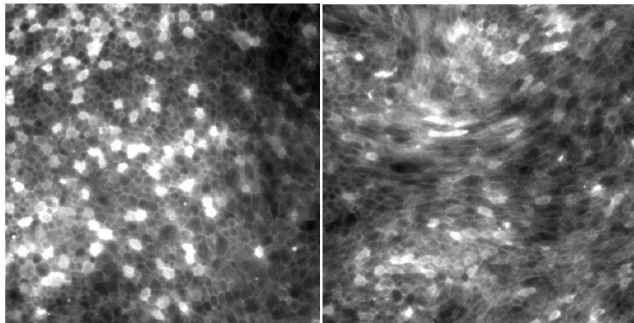
... admits ‘easy’ switching between liquid- and solid-like behavior!



Glass-like dynamics of collective cell migration

Thomas E. Angelini^a, Edouard Hannezo^b, Xavier Trepat^c, Manuel Marquez^d, Jeffrey J. Fredberg^e, and David A. Weitz^{f,1}

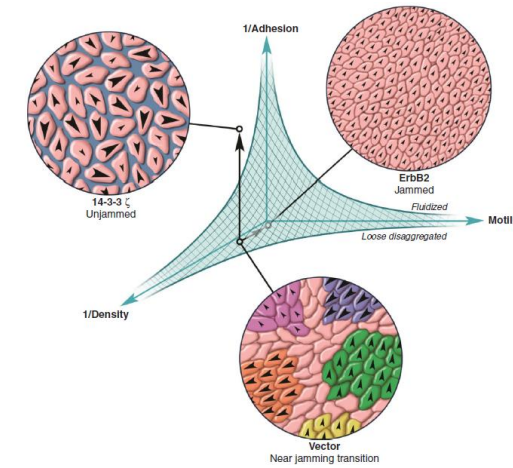
Proc. Natl. Acad. Sci. USA **108**, 4717 (2011)



Collective migration and cell jamming in asthma, cancer and development

Jin-Ah Park^{1,‡}, Lior Atia¹, Jennifer A. Mitchel¹, Jeffrey J. Fredberg¹ and James P. Butler^{1,2}

J. Cell Sci. **129**, 3375 (2016)



Glass-like dynamics in the cell and in cellular collectives

Monirosadat Sadati,¹ Amir Nourhani,² Jeffrey J. Fredberg^{1*} and Nader Taheri Qazvini^{1,3}

WIREs Syst. Biol. Med. **6**, 137 (2014)

ARTICLES

PUBLISHED ONLINE: 3 AUGUST 2015 | DOI: 10.1038/NMAT4357

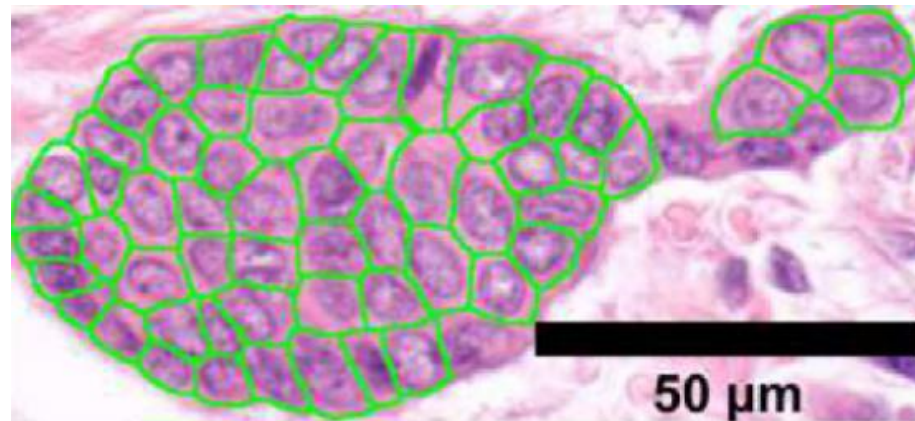
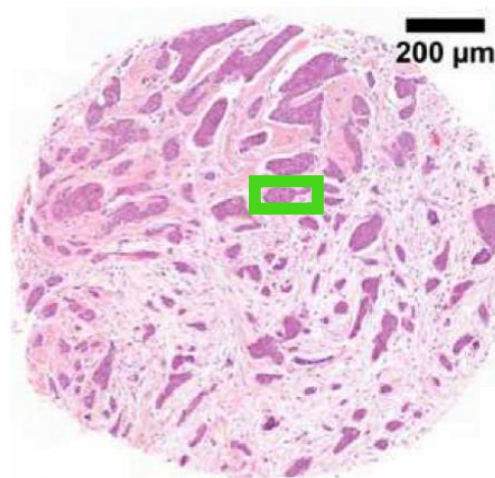
nature
materials

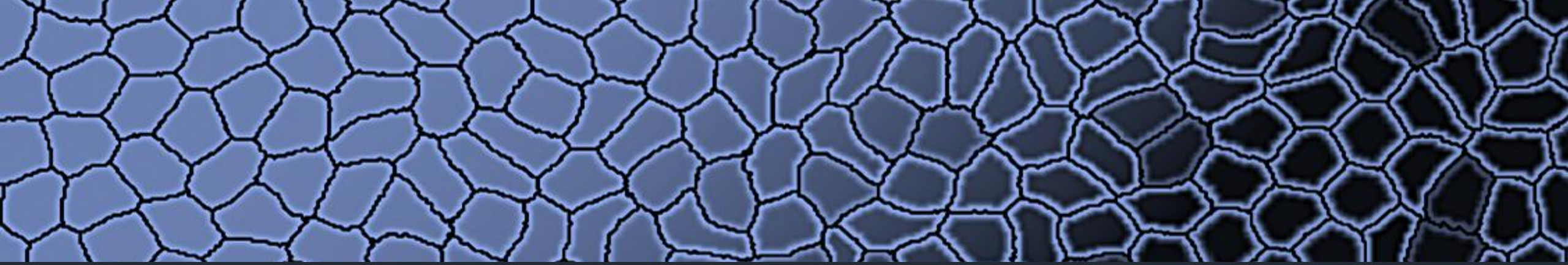
Unjamming and cell shape in the asthmatic airway epithelium

Jin-Ah Park^{1,*†}, Jae Hun Kim^{1†}, Dapeng Bi², Jennifer A. Mitchel¹, Nader Taheri Qazvini^{1,3}, Kelan Tantisira⁴, Chan Young Park¹, Maureen McGill¹, Sae-Hoon Kim¹, Bomi Gweon¹, Jacob Notbohm¹, Robert Steward Jr¹, Stephanie Burger¹, Scott H. Randell⁵, Alvin T. Kho⁶, Dhananjay T. Tambe^{1,7}, Corey Hardin¹, Stephanie A. Shore¹, Elliot Israel⁴, David A. Weitz⁸, Daniel J. Tschumperlin⁹, Elizabeth P. Henske⁴, Scott T. Weiss⁴, M. Lisa Manning², James P. Butler^{1,4}, Jeffrey M. Drazen¹ and Jeffrey J. Fredberg¹

State of Cell Unjamming Correlates with Distant Metastasis in Cancer Patients

Pablo Gottheil¹, Jürgen Lippoldt¹, Steffen Grosser¹, Frédéric Renner¹, Mohamad Saibah¹, Dimitrij Tschodu¹, Anne-Kathrin Poßögel², Anne-Sophie Wegscheider², Bernhard Ulm³, Kay Friedrichs⁴, Christoph Lindner⁵, Christoph Engel⁶, Markus Löffler⁶, Benjamin Wolf⁷, Michael Höckel⁷, Bahriye Aktas⁷, Hans Kubitschke¹, Axel Niendorf² and Josef A. Käs^{1,*}





Can we infer from solely structural information (i.e. a static image) whether:

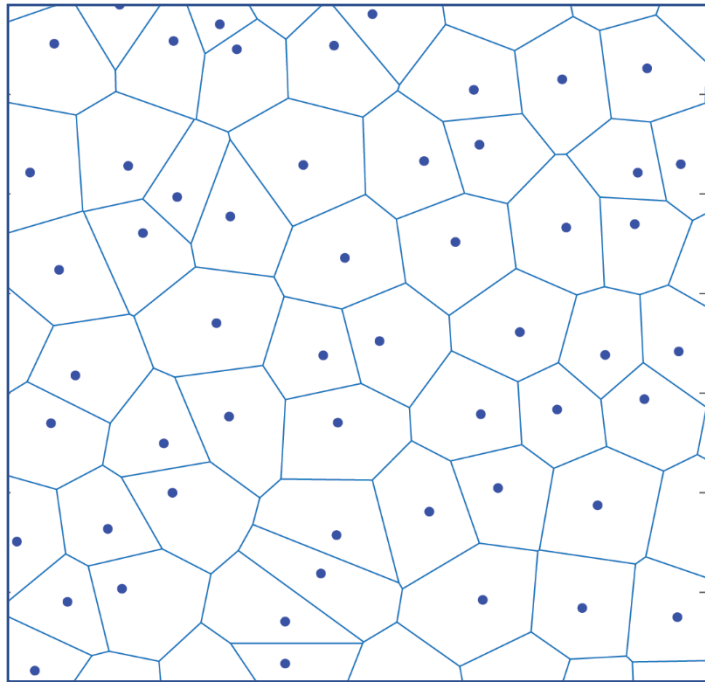
- (a) the collective is jammed or unjammed (glassy or liquid)?
- (b) a given cell is motile or nonmotile?



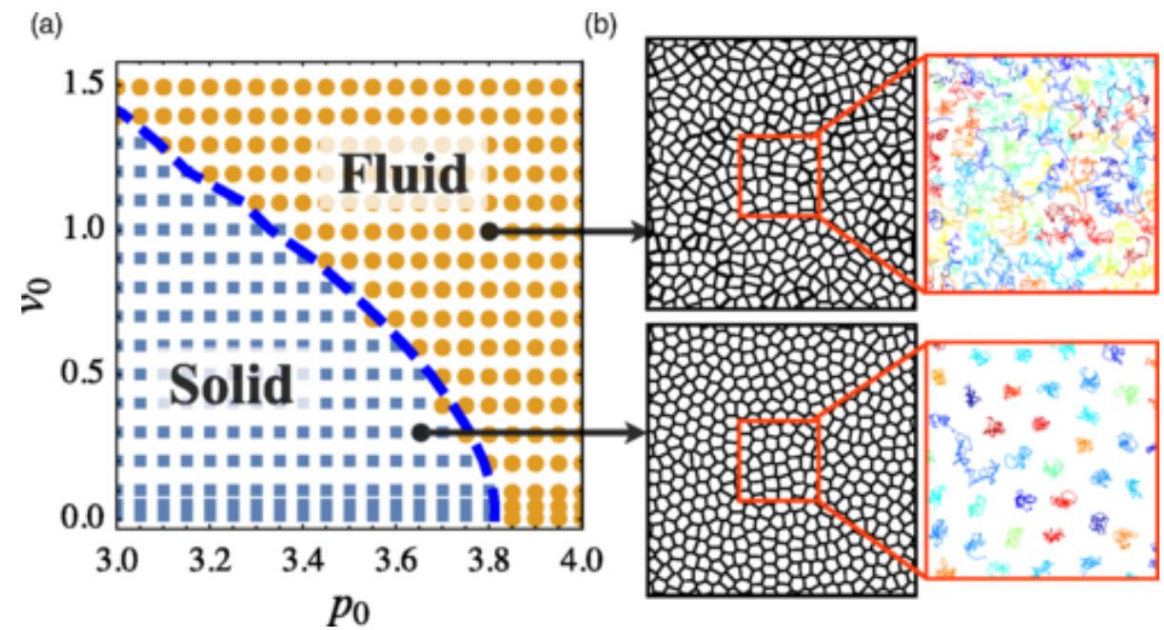
What is a good way to describe the structure?

What is a good way to describe the structure?

Self-propelled Voronoi (SPV) model

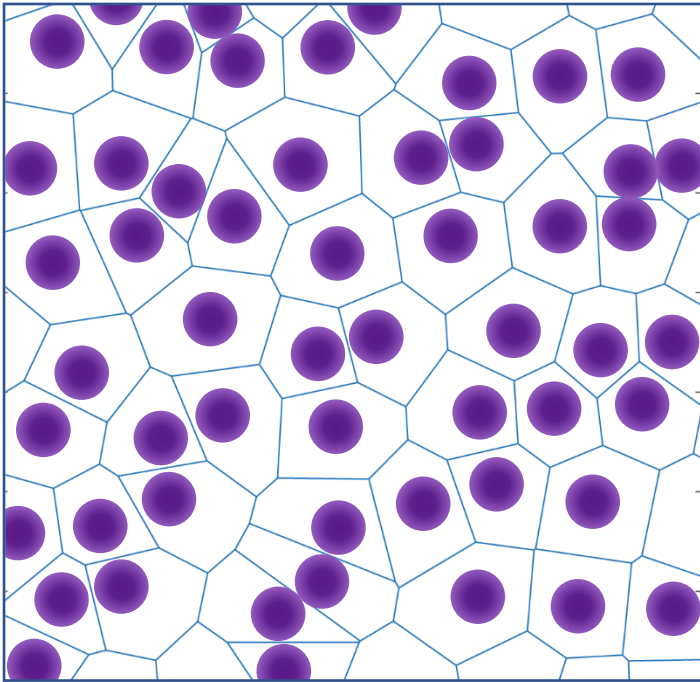


→ (dimensionless) shape index: $p = \langle P / \sqrt{A} \rangle$

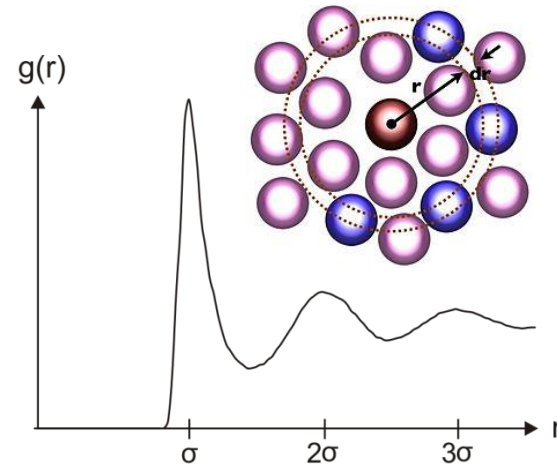


glass transition at $p^* = 3.81$

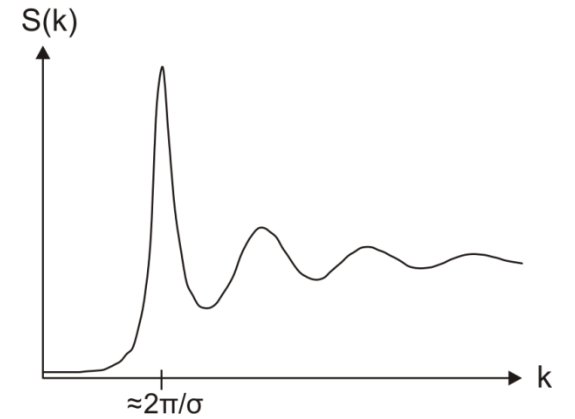
Can we also use concepts from condensed matter physics?



structure



Radial distribution function $g(r)$



Static structure factor $S(k)$

$$S(k) = 1 + \rho \int d\mathbf{r} e^{-i\mathbf{k}\cdot\mathbf{r}} g(r)$$

Relating structure to emergent dynamics using theoretical physics

Disclaimer:

“There are more theories of the glass transition
than there are theorists who propose them.”

David A. Weitz, New York Times (July 29, 2008)

Relating structure to emergent dynamics using theoretical physics

Mode-Coupling Theory of the glass transition (MCT) [Götze et al., 1984]

Relating structure to emergent dynamics using theoretical physics

Mode-Coupling Theory of the glass transition (MCT) [Götze et al., 1984]

→ The only ‘first principles’ theory of glassy dynamics (starting from the exact microscopic picture):

Relating structure to emergent dynamics using theoretical physics

Mode-Coupling Theory of the glass transition (MCT) [Götze et al., 1984]

→ The only ‘first principles’ theory of glassy dynamics (starting from the exact microscopic picture):

$$\ddot{F}(k, t) + \frac{k^2 k_B T}{m S(k)} F(k, t) + \int_0^t dt' M(k, t') \dot{F}(k, t - t') = 0$$

Relating structure to emergent dynamics using theoretical physics

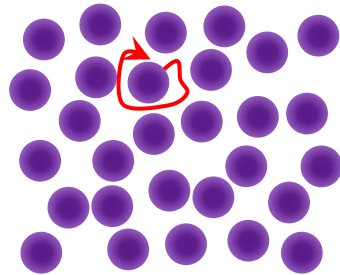
Mode-Coupling Theory of the glass transition (MCT) [Götze et al., 1984]

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$$F(k, t) = \frac{1}{N} \langle \rho_{-\mathbf{k}}(0) \rho_{\mathbf{k}}(t) \rangle$$

dynamical observable of interest
[time-dependent analogue of $S(k)$]



$$r = 2\pi/k$$

Relating structure to emergent dynamics using theoretical physics

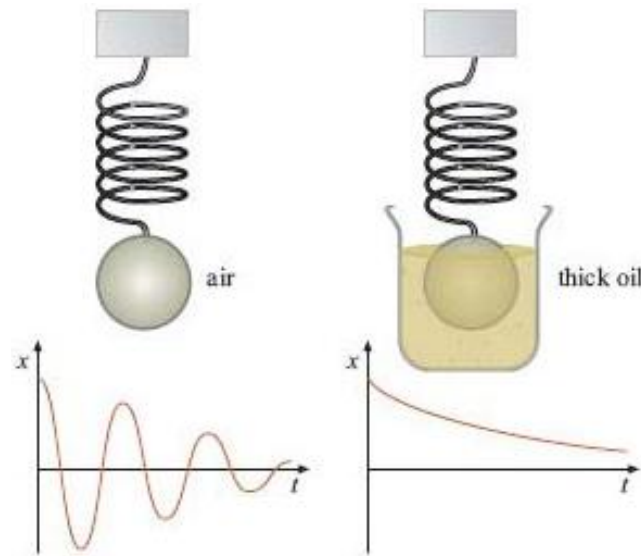
Mode-Coupling Theory of the glass transition (MCT) [Götze et al., 1984]

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→ Form of damped harmonic oscillator with time-dependent damping:

$$\ddot{x} + \omega^2 x + 2\zeta\omega\dot{x} = 0$$



Relating structure to emergent dynamics using theoretical physics

Mode-Coupling Theory of the glass transition (MCT) [Götze et al., 1984]

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$$M_{MCT}(k, t) \sim \int dq |V_{q, k-q}|^2 F(q, t) F(k - q, t)$$

Relating structure to emergent dynamics using theoretical physics

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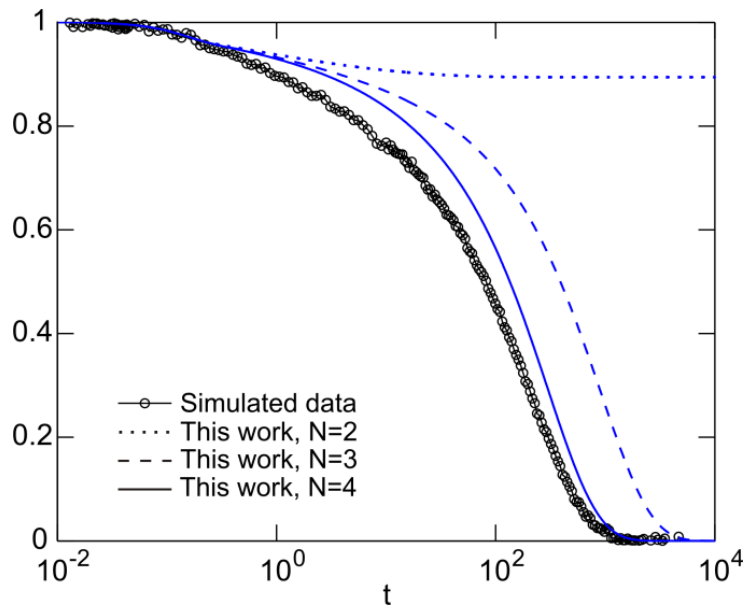
$$M_{MCT}(k, t) \sim \int dq |V_{q, k-q}|^2 F(q, t) F(k - q, t)$$

Overall, through several approximations, MCT arrives at a closed equation to predict the dynamics from the structure:



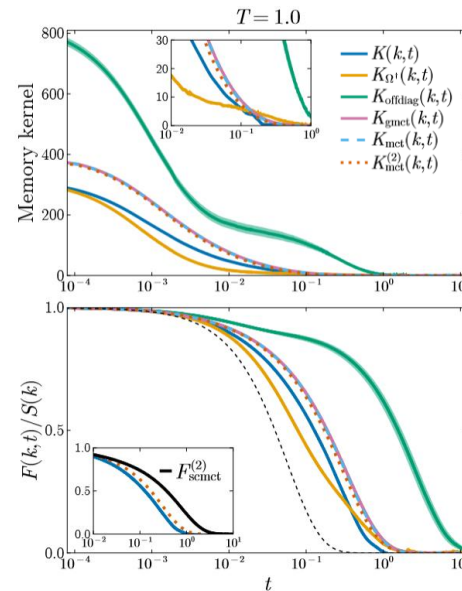
(... Work in progress: improving & extending mode-coupling theory)

Including higher-order correlations



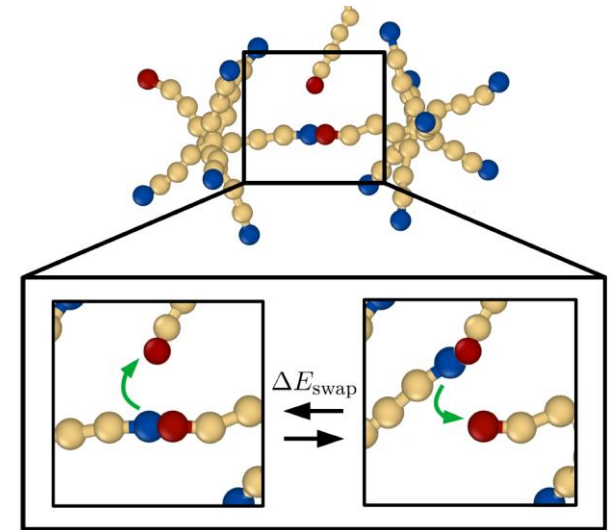
Szamel, PRL (2003), LMCJ et al. PRL (2015), Luo et al. PRL (2022), Pihlajamaa et al. PNAS Nexus (2023), Laudicina et al. (2025) ...

Testing each MCT approximation



Pihlajamaa, Debets, Laudicina, Janssen, SciPost (2023), Pihlajamaa & Janssen, Phys. Rev. Research (2024)

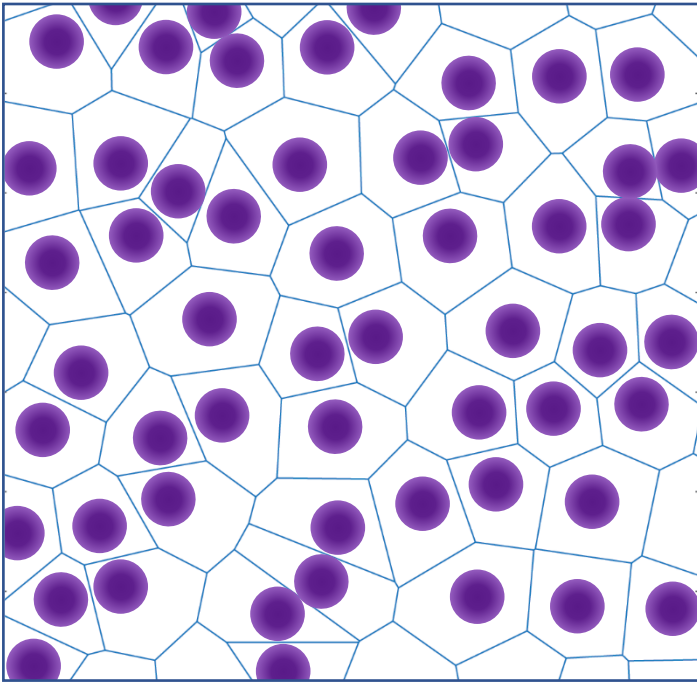
Extending MCT to polymers, active matter, ...



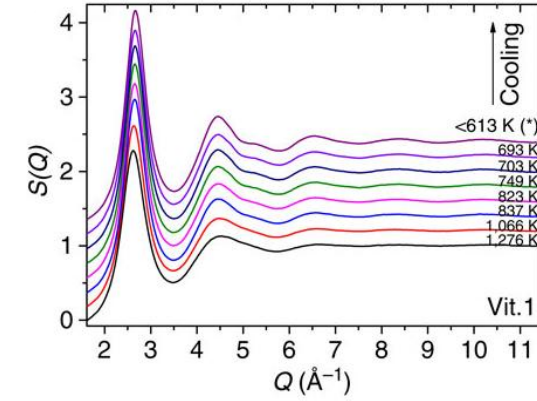
Ciarella, Biezemans, Janssen, PNAS (2019), Debets & Janssen, JCP (2022, 2023)

Open-source, generic solver for MCT-like equations (Julia code): Pihlajamaa et al. J. Open Source Software (2023)

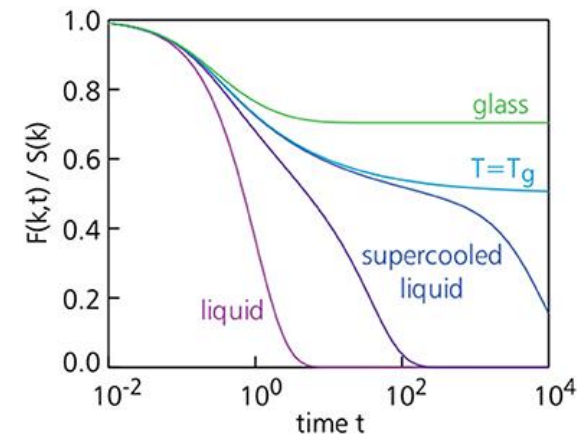
Applying mode-coupling theory to living cells



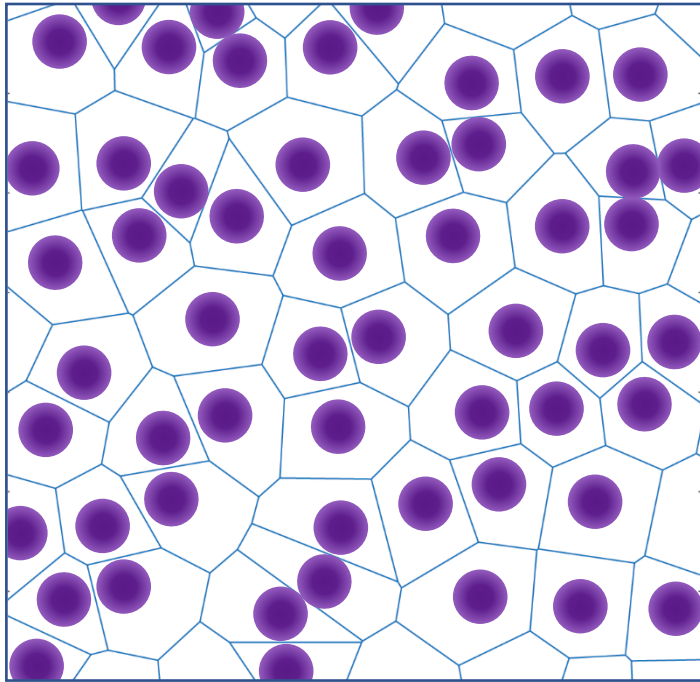
structure



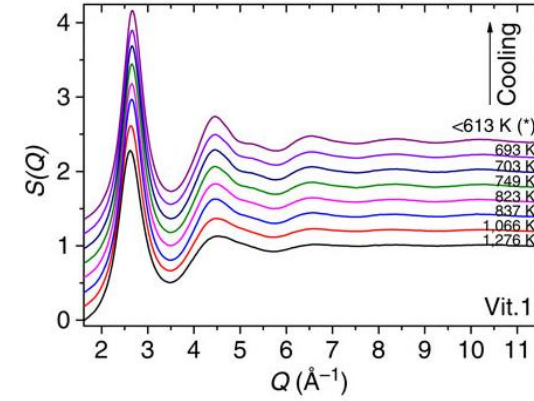
dynamics



Applying mode-coupling theory to living cells

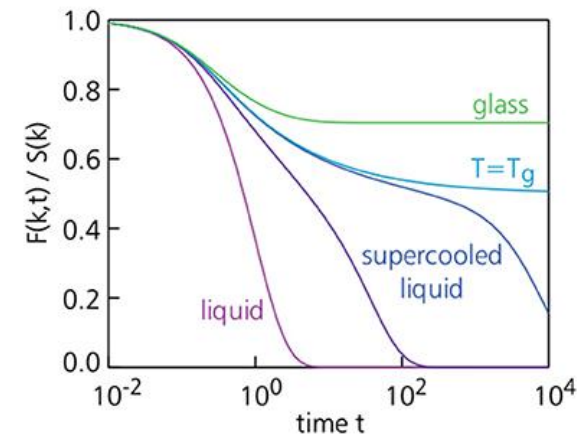


structure



MCT

dynamics

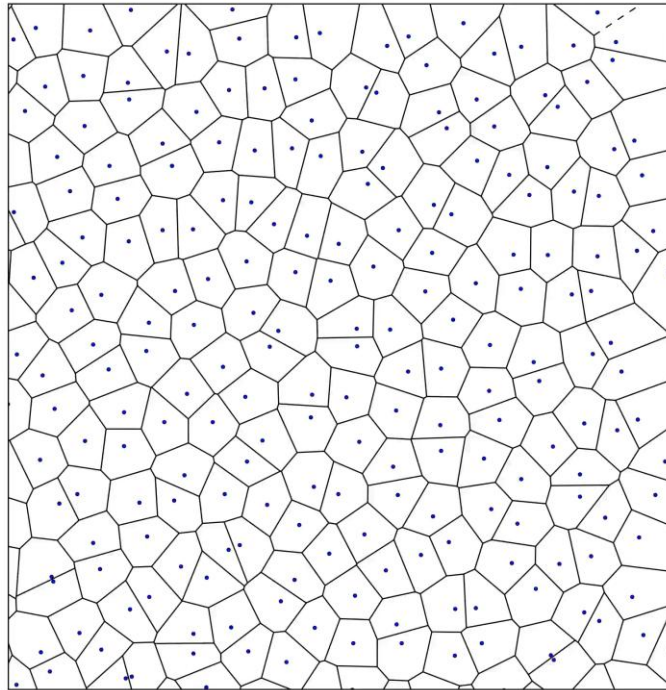


‘Numerical experiments’: SPV simulations



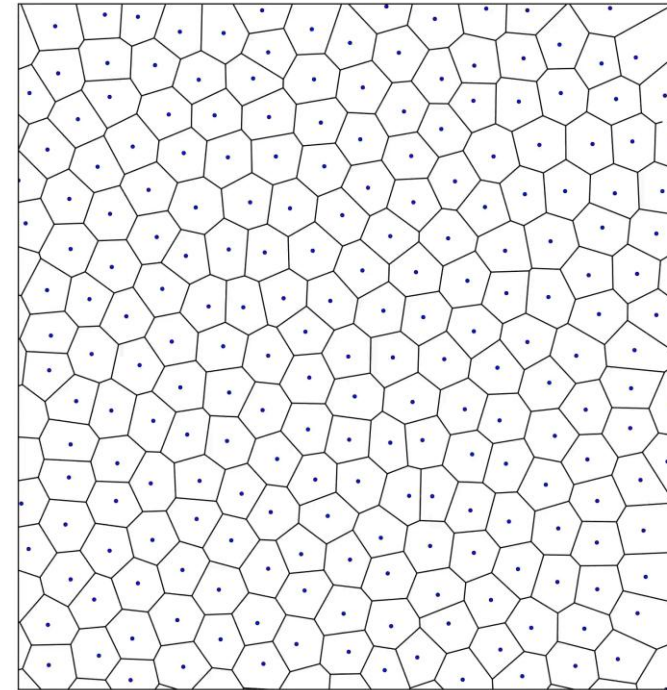
Marijke Valk

more liquid-like



cell perimeter $P_0 = 3.9$

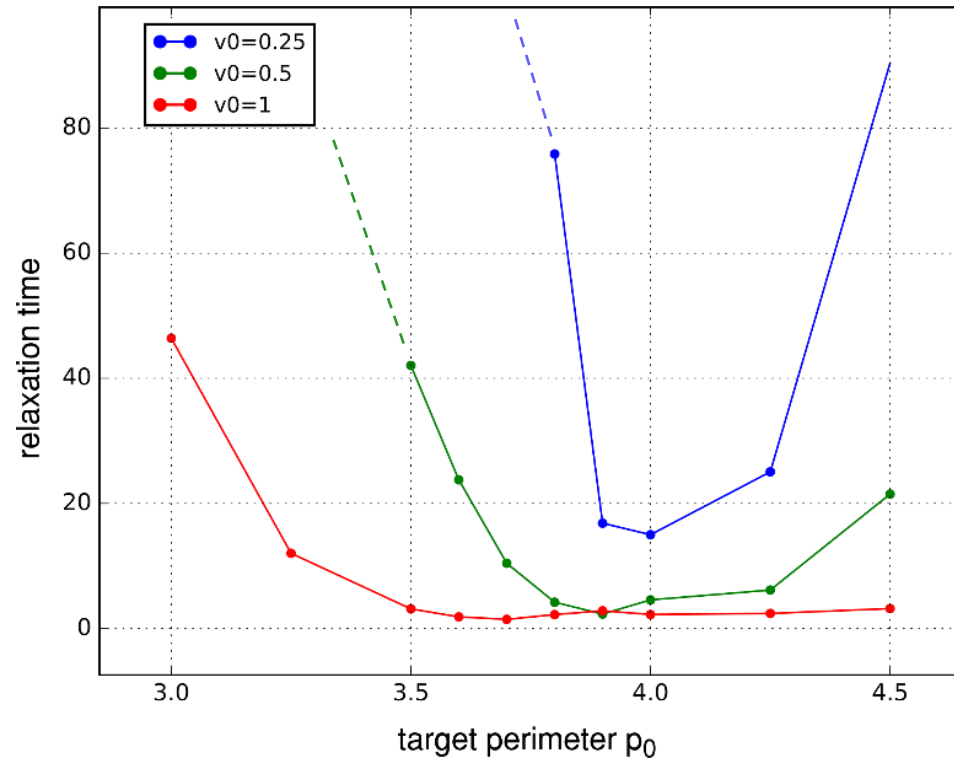
more solid-like



cell perimeter $P_0 = 3.4$

Mode-coupling theory for SPV simulation model

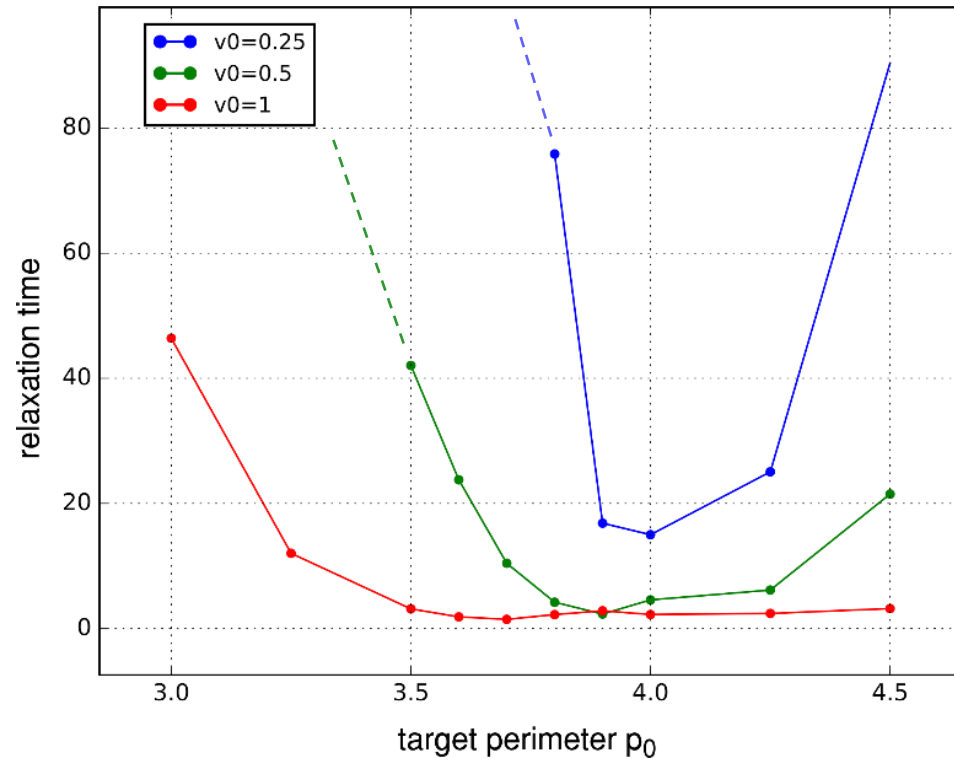
Using standard MCT (ignoring activity) to predict the cell dynamics $[F(k,t)]$ from structure $[S(k)]$:



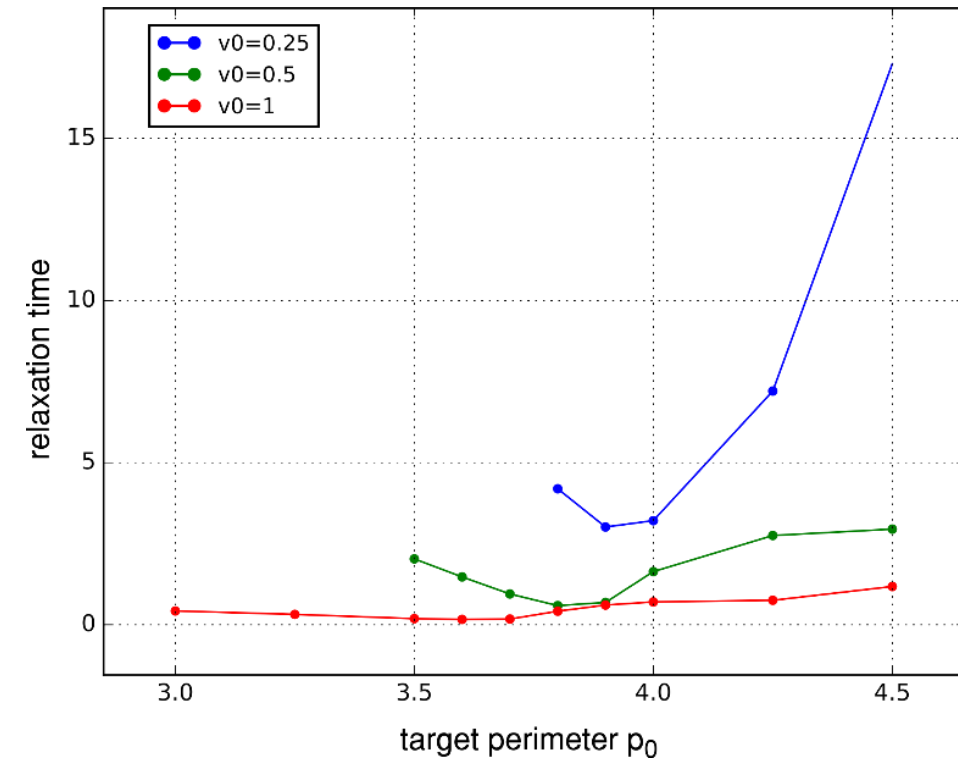
relaxation times from simulation

Mode-coupling theory for SPV simulation model

Using standard MCT (ignoring activity) to predict the cell dynamics $[F(k,t)]$ from structure $[S(k)]$:



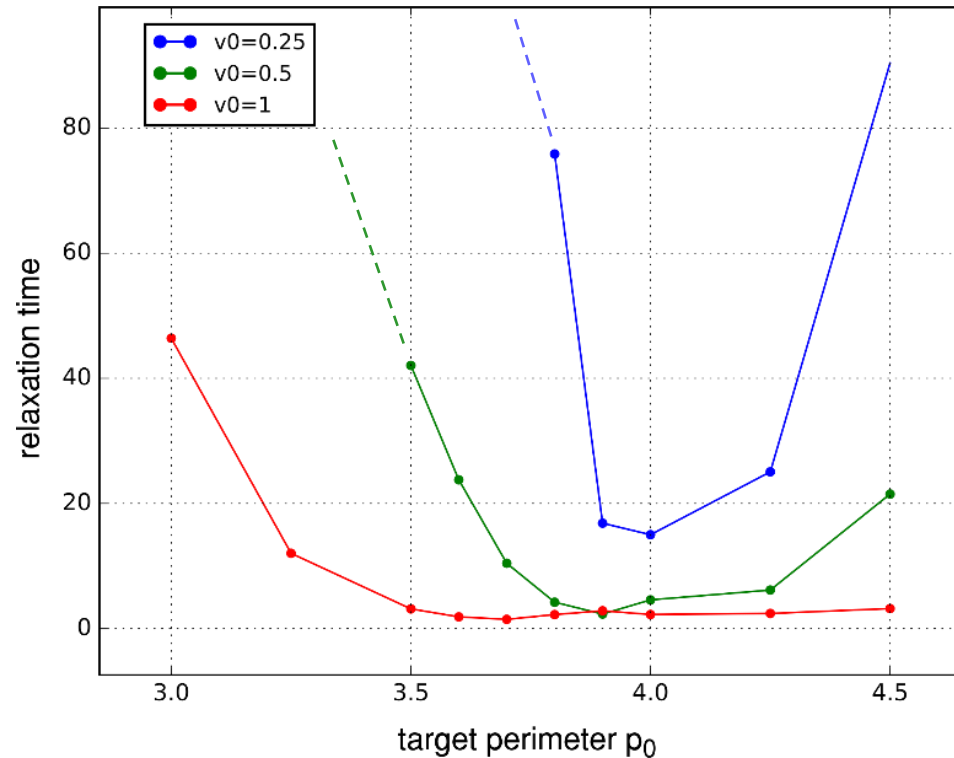
relaxation times from simulation



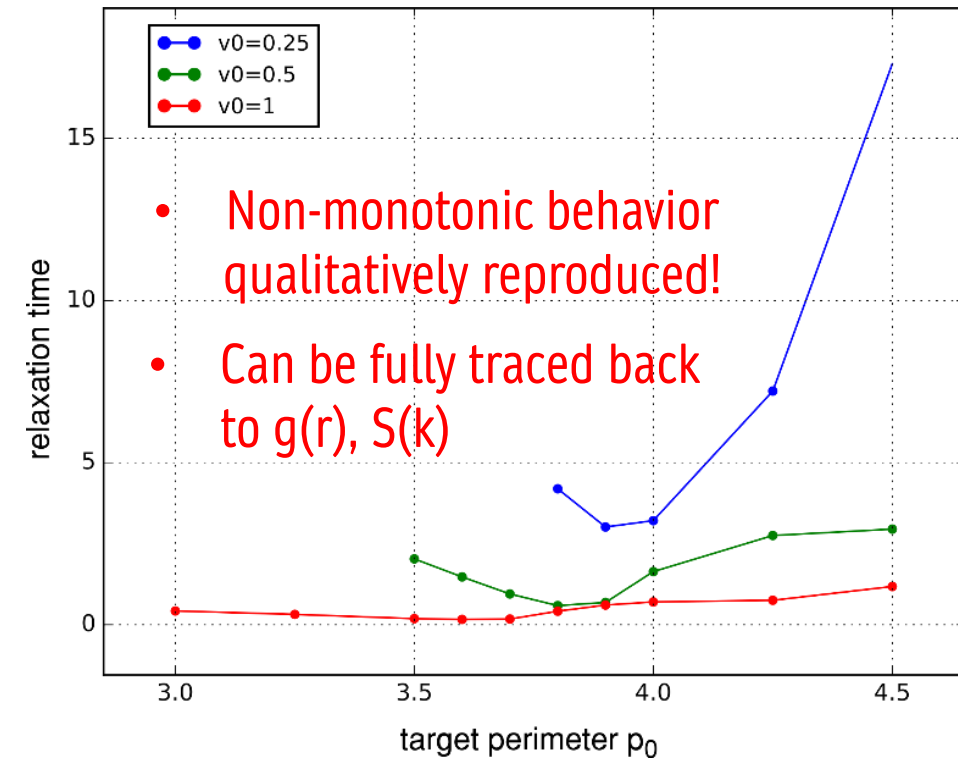
relaxation times from MCT

Mode-coupling theory for SPV simulation model

Using standard MCT (ignoring activity) to predict the cell dynamics $[F(k,t)]$ from structure $[S(k)]$:



relaxation times from simulation



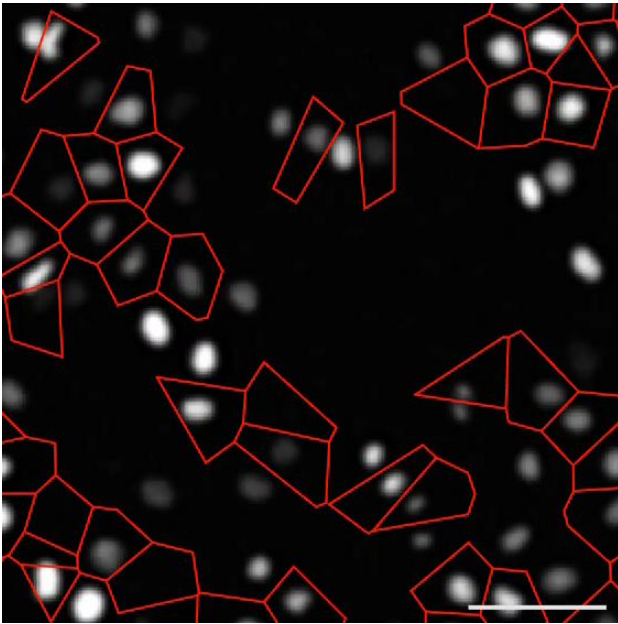
relaxation times from MCT

Preliminary results on experimental cell data

In collaboration with Profs. Jim Butler and Jeffrey Fredberg (Harvard)



Marijke Valk



MDCK cells

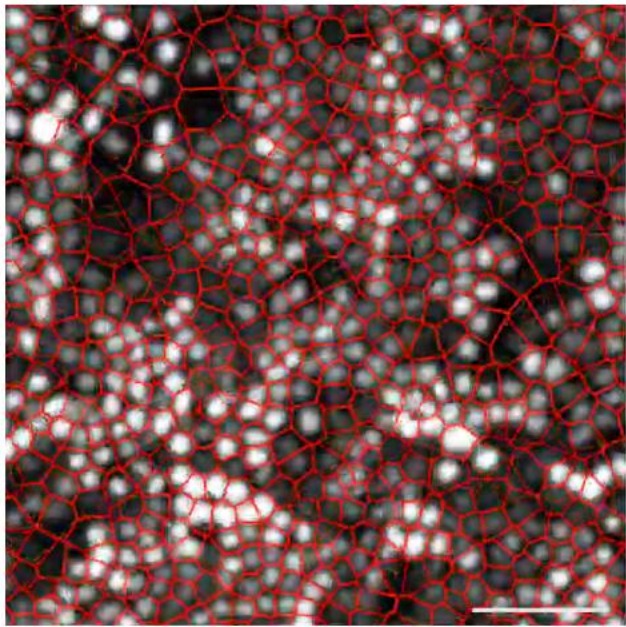
Atia *et al.*, Nat. Phys. (2018)

Preliminary results on experimental cell data

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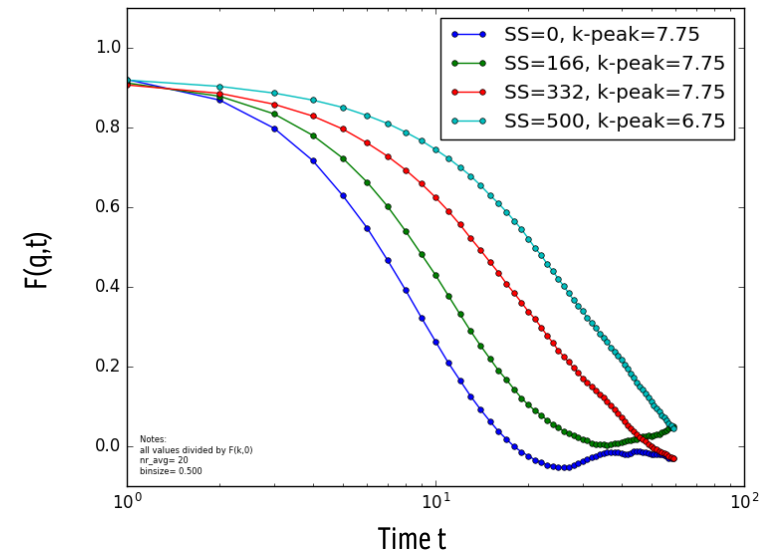
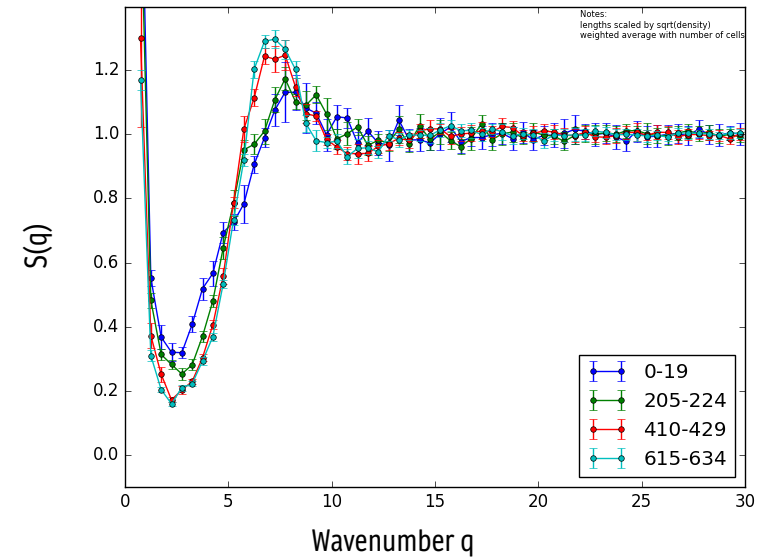
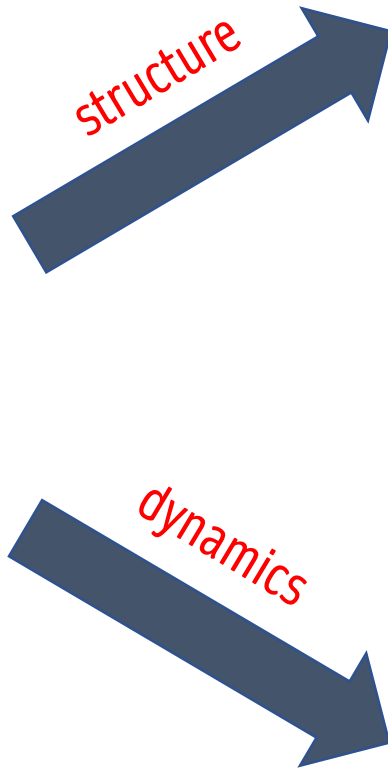


Marijke Valk



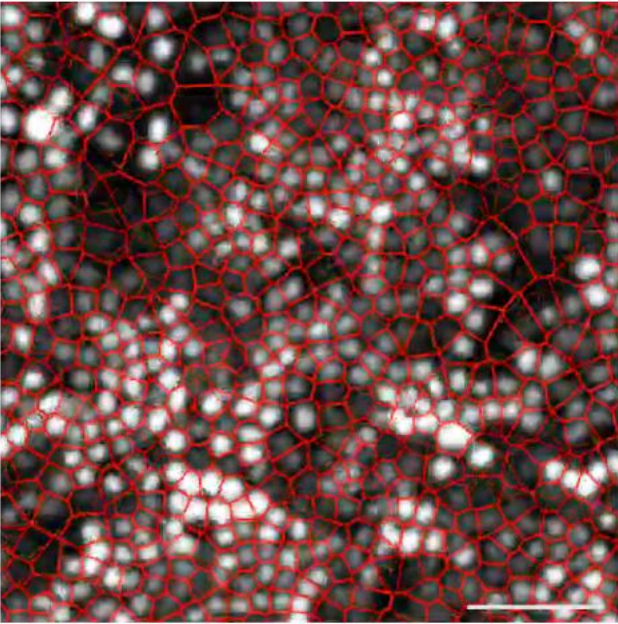
MDCK cells

Atia *et al.*, Nat. Phys. (2018)



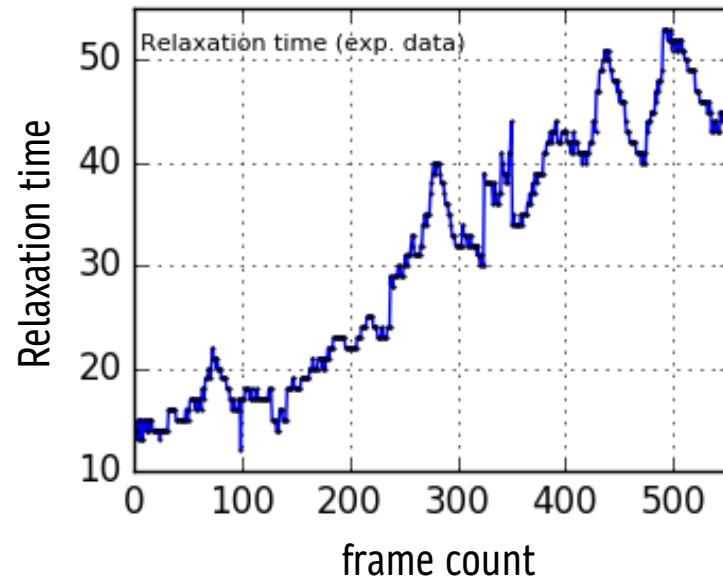
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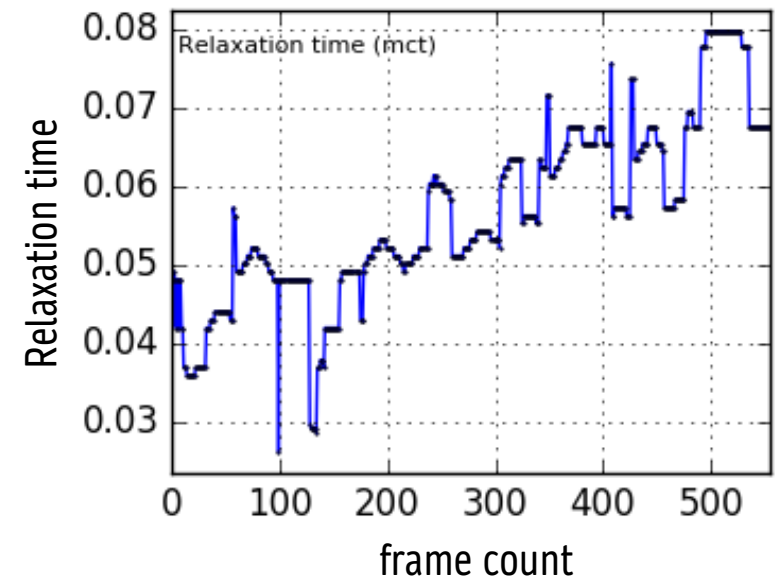


MDCK cells

Atia *et al.*, Nat. Phys. (2018)



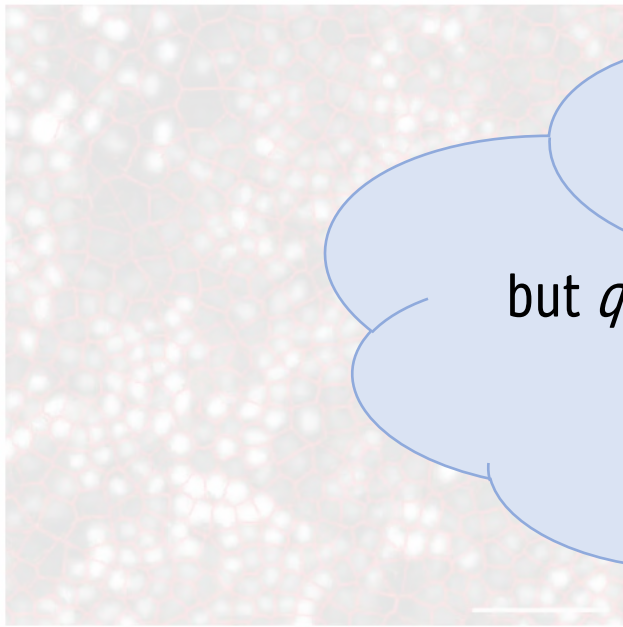
relaxation times from experiment



relaxation times from MCT

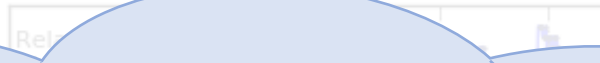
Preliminary results on experimental cell data

In collaboration with Profs. Jim Butler and Jeffrey Fredberg (Harvard)

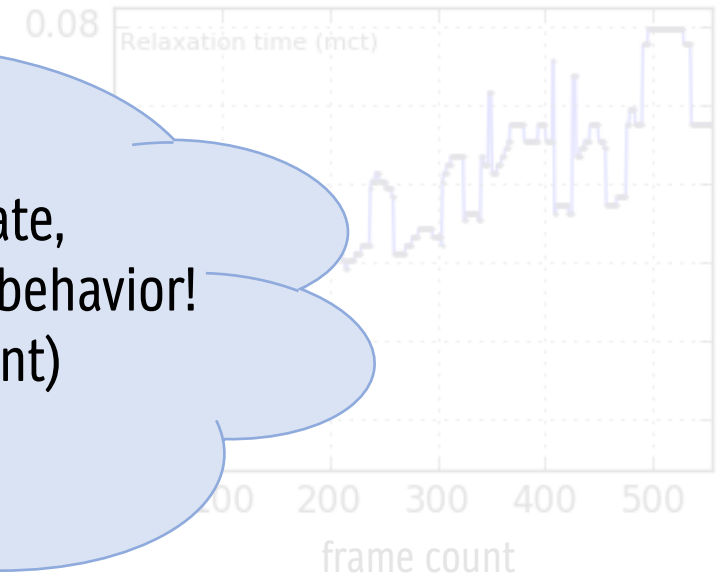


MDCK cells

Atia *et al.*, Nat. Phys. (2018)



relaxation times from experiment

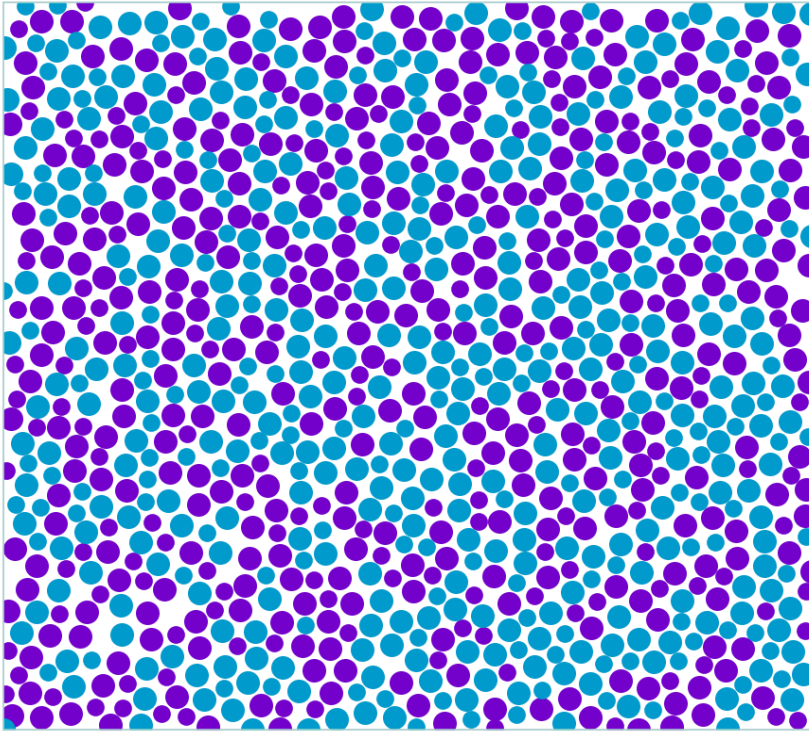


relaxation times from MCT

Standard MCT is not *quantitatively* accurate,
but *qualitatively* it already predicts the correct behavior!
(both for simulation model and experiment)

Thus far, we considered emergent collective dynamics. Now let's zoom in further ...

active/passive binary mixture

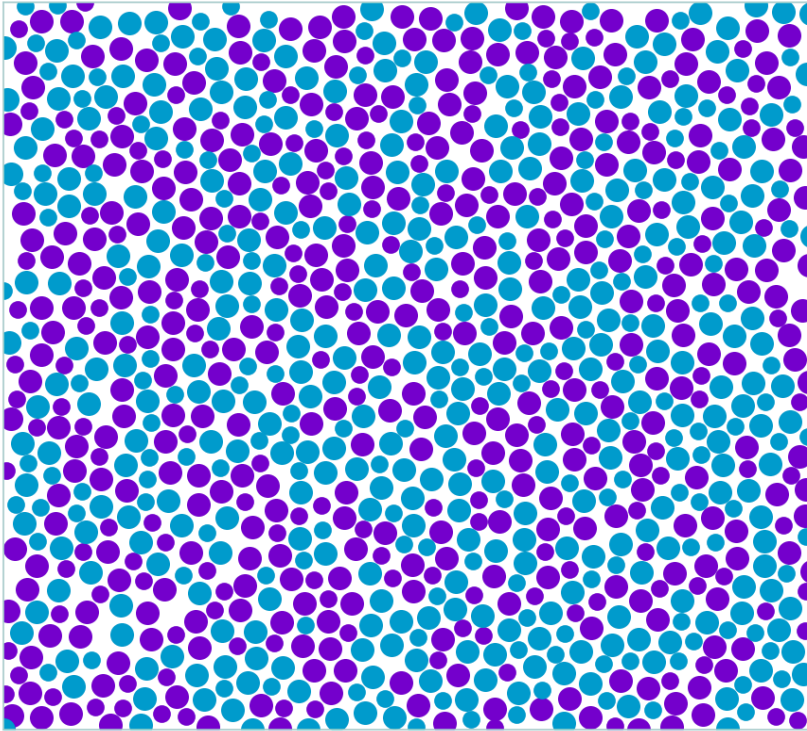


● passive (“epithelial”)

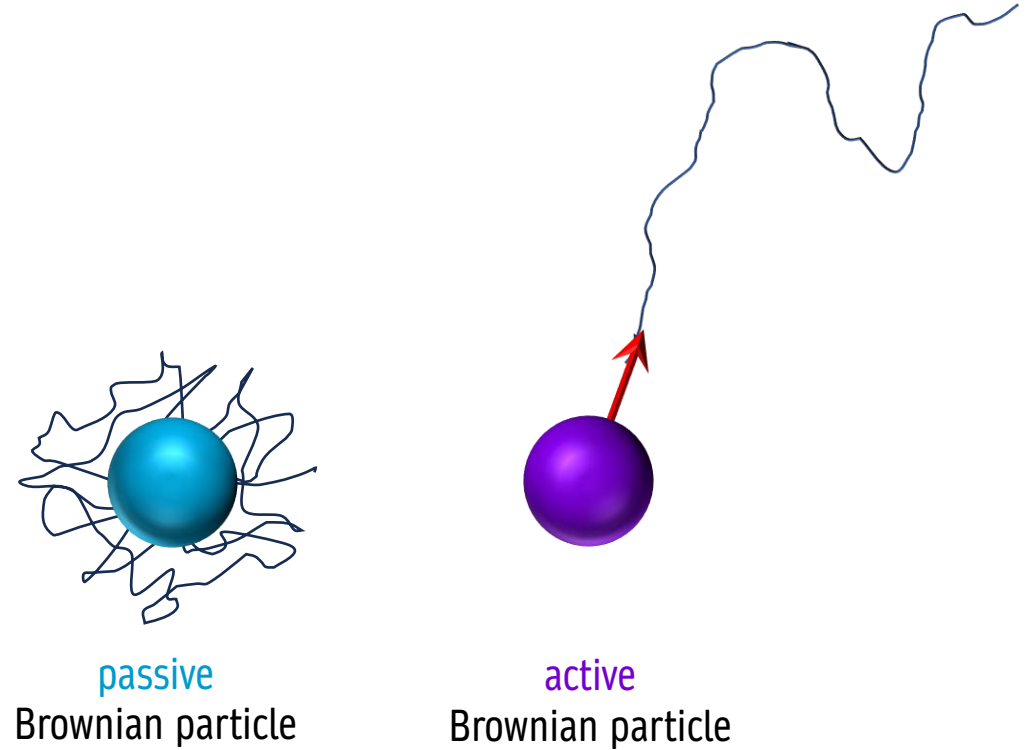
● active (self-motile, “mesenchymal”)

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active/passive binary mixture



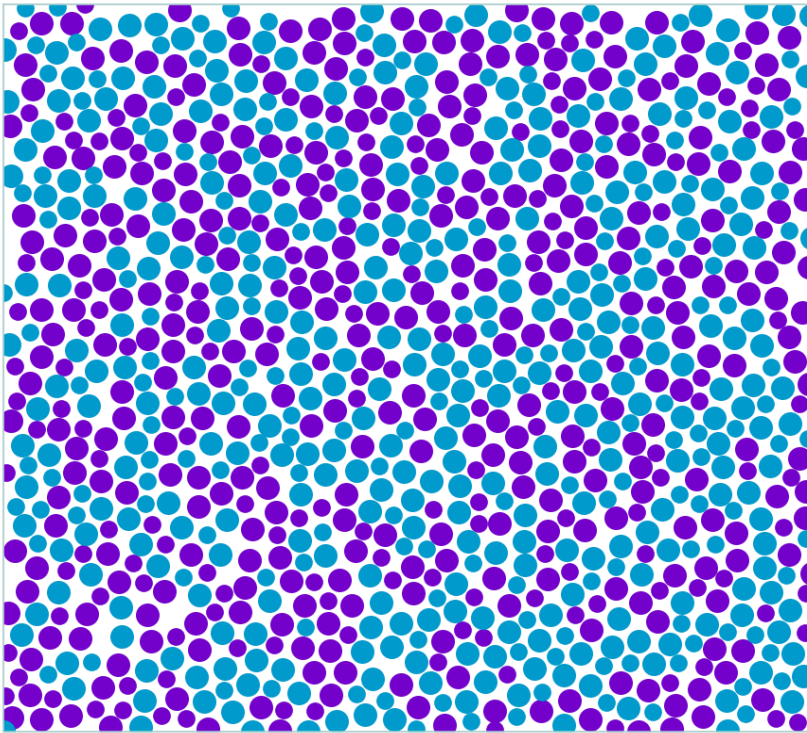
- passive ("epithelial")
- active (self-motile, "mesenchymal")



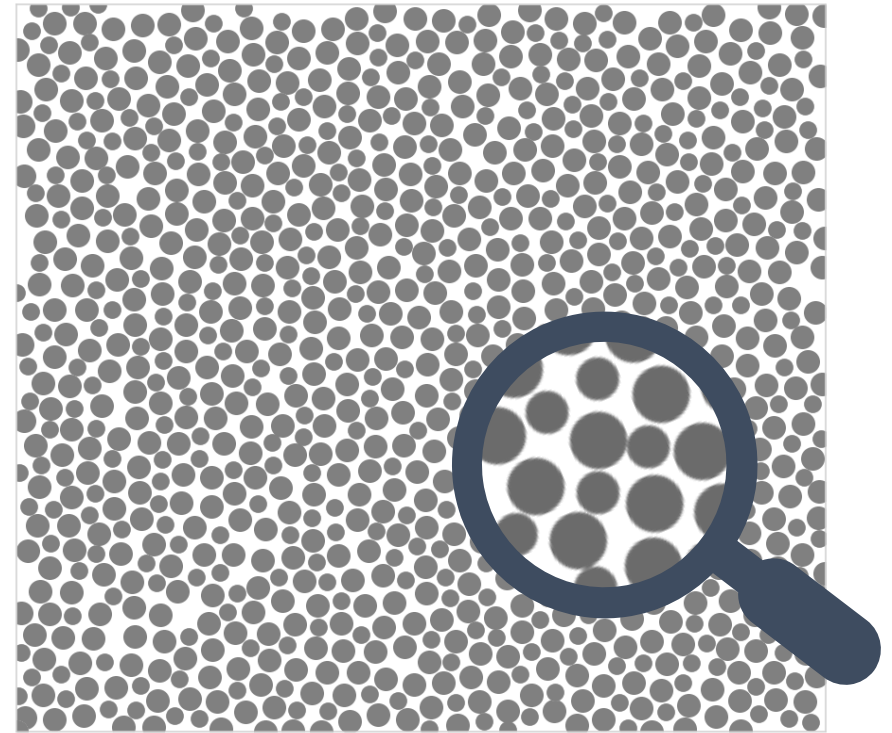
minimal model for epithelial-to-mesenchymal transition
in cells; associated with metastasis

Thus far, we considered emergent collective dynamics. Now let's zoom in further ...

active/passive binary mixture



- passive ("epithelial")
- active (self-motile, "mesenchymal")



Can we infer from the instantaneous local structure whether a particle is active (i.e. self-motile) or not?

An ideal task for machine learning



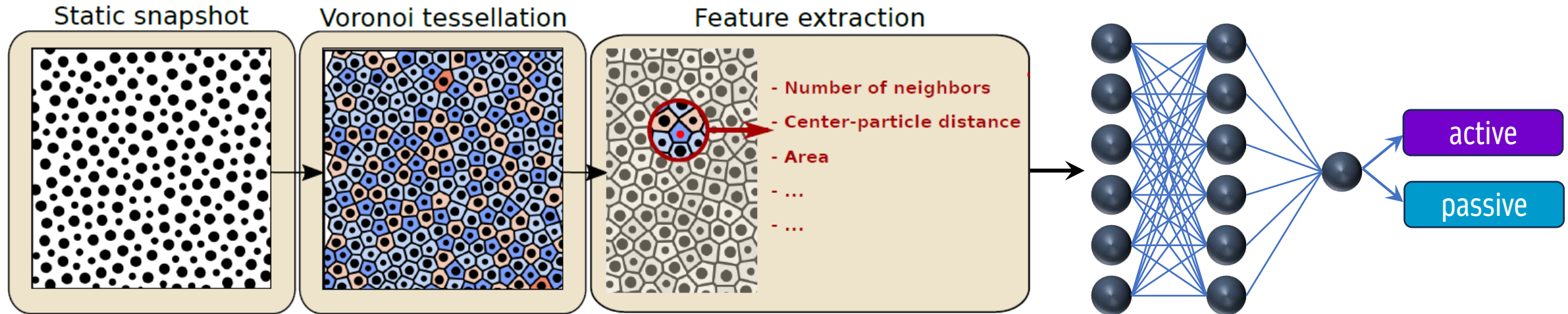
Giulia Janzen

An ideal task for machine learning

- For passive glassformers, ML has been successfully used to predict the **dynamic propensity** of particles, based on (many, hundreds) local structural descriptors [e.g. Boattini et al., PRL 2021]
- For our **active** particles, we find that a simple Voronoi tessellation (only 11 features) is just as good!

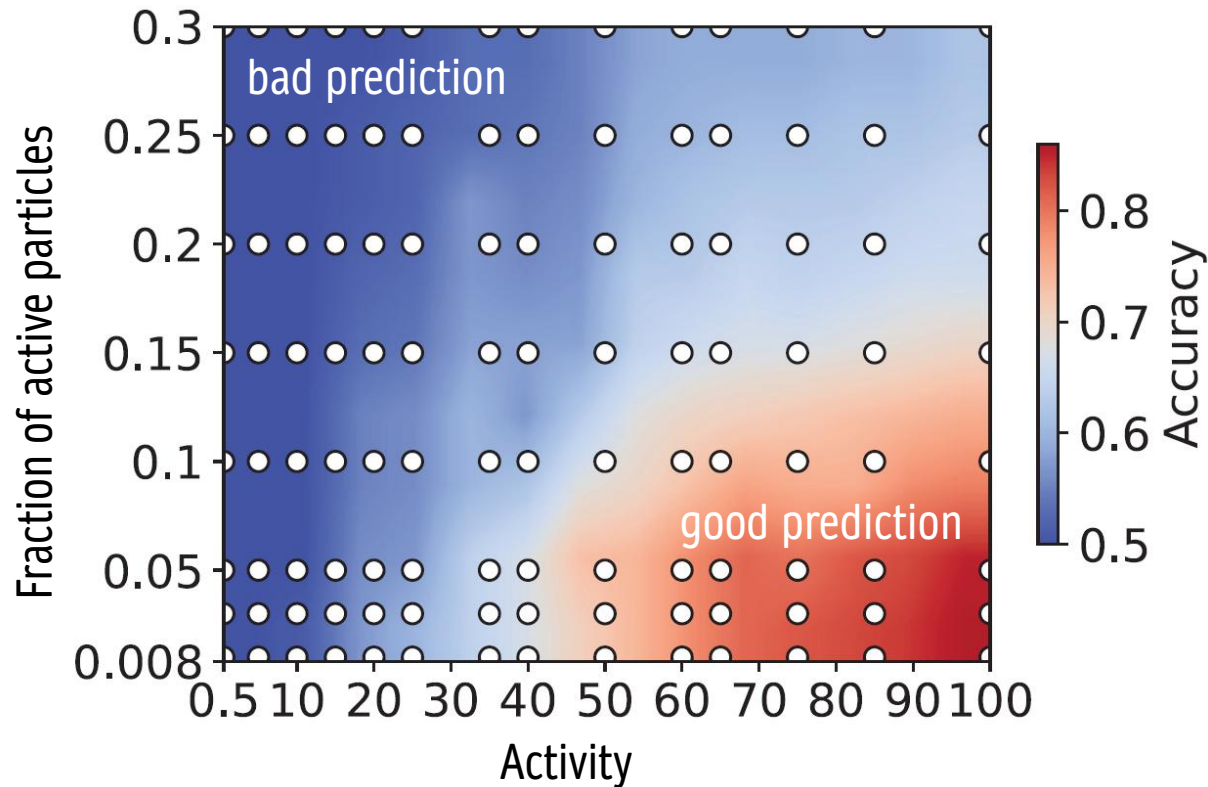


Giulia Janzen

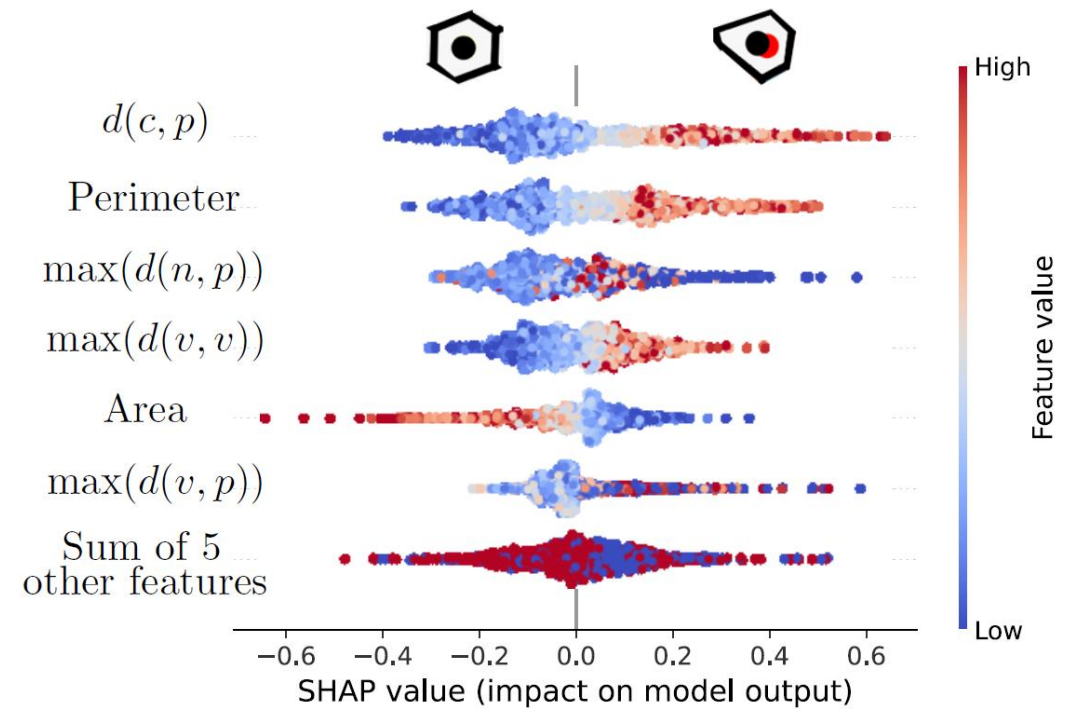


Accuracy is best for highly active particles, and few active particles (up to ~15%)

accuracy map

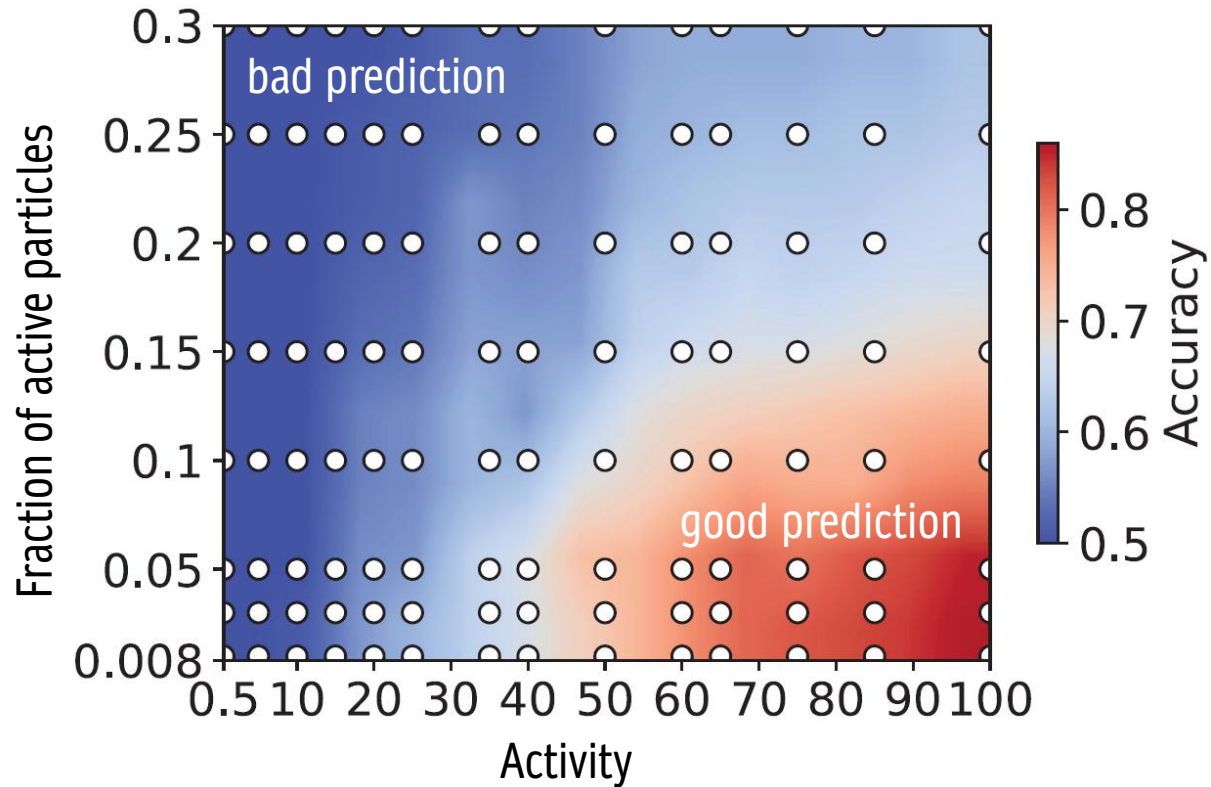


feature importance analysis (SHAP)

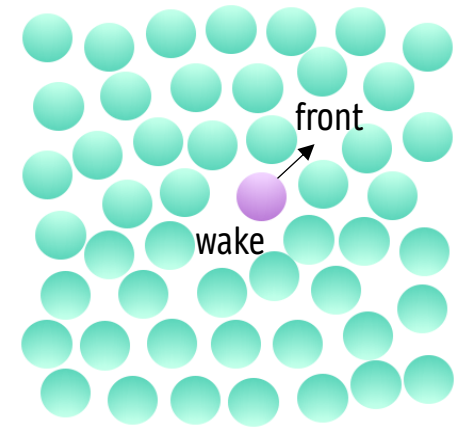
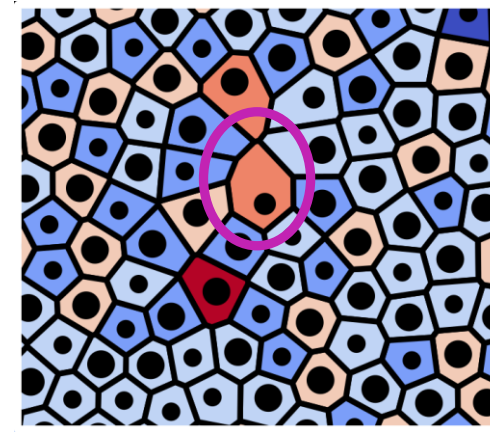


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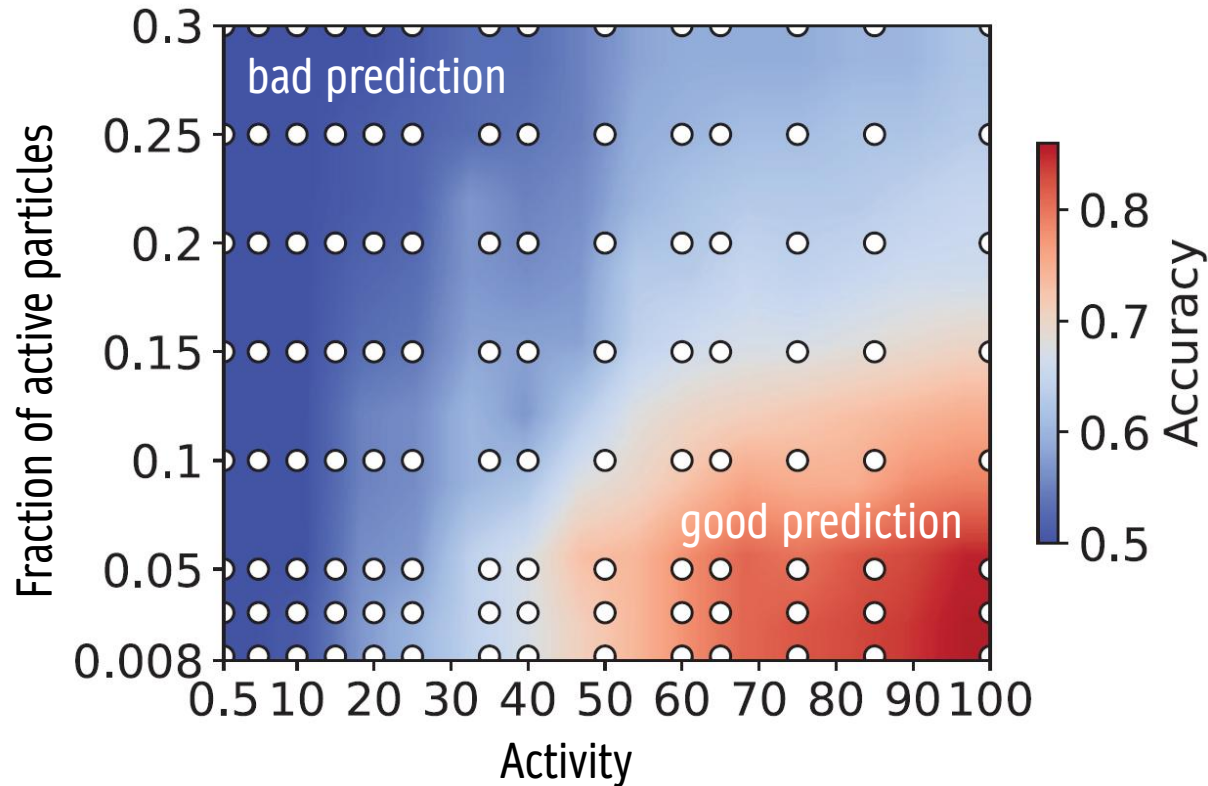


active particles leave a distinct wake:

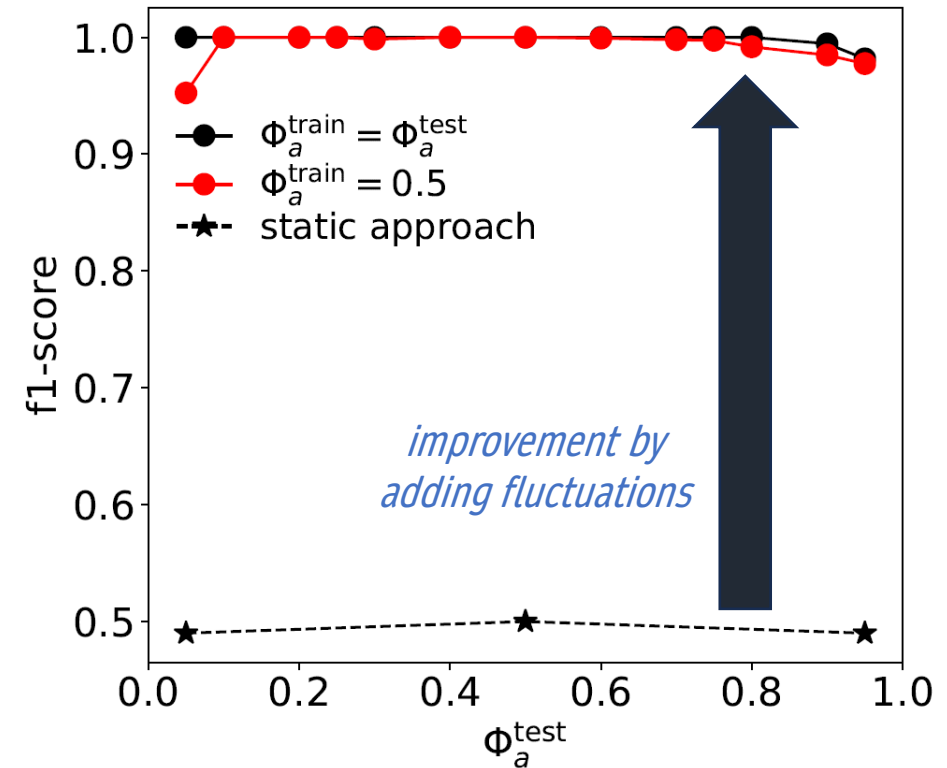


Accuracy is best for highly active particles, and few active particles (up to ~15%)

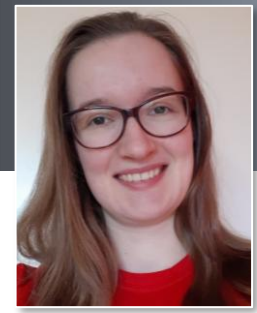
accuracy map



N.B. accuracy in the 'bad' regime can be greatly improved by including information on the structural *fluctuations*



Inferring individual cell motility in a confluent layer from a static image

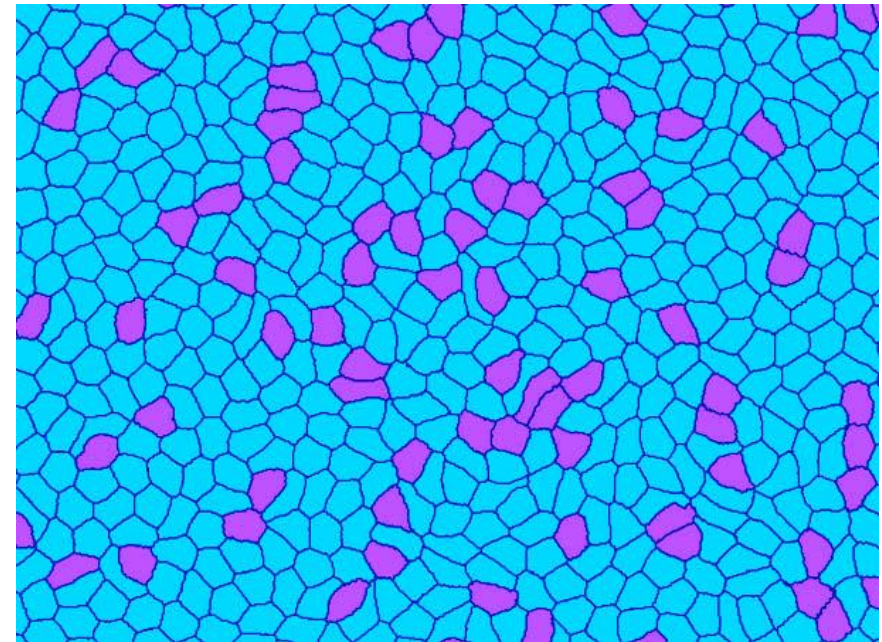
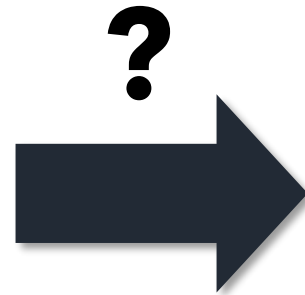
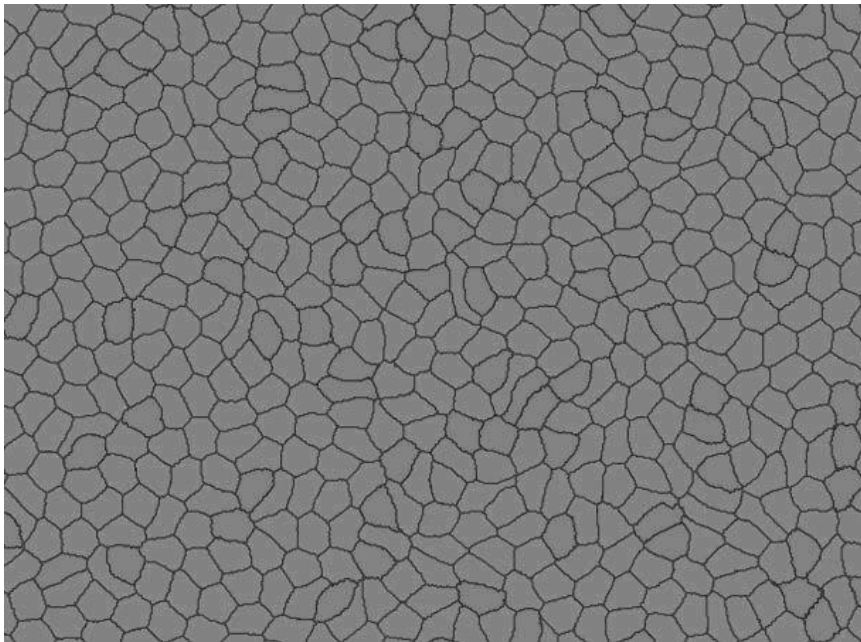


Quirine Braat

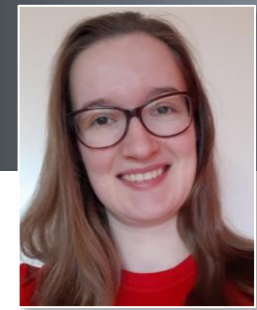


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Cellular Potts model, binary active/passive mixture



Inferring individual cell motility in a confluent layer from a static image

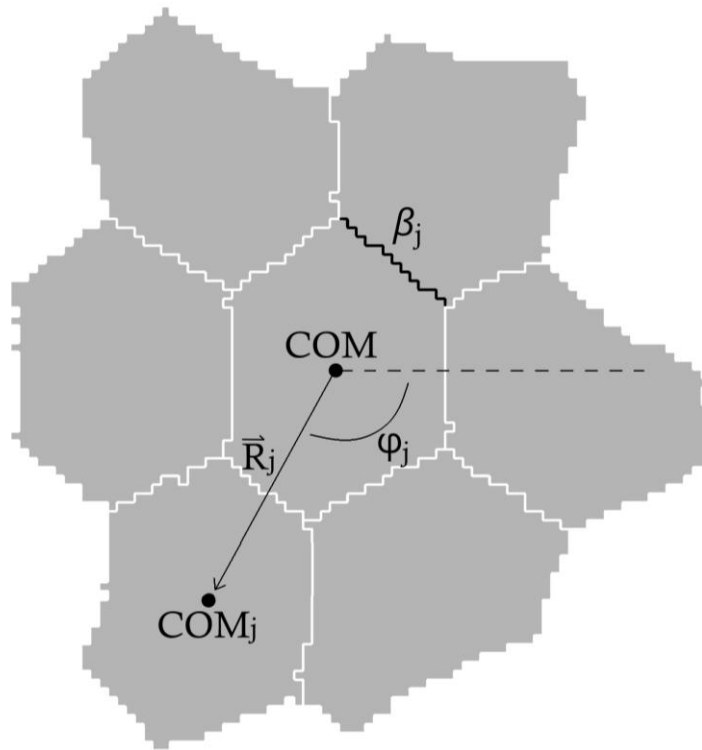


Quirine Braat



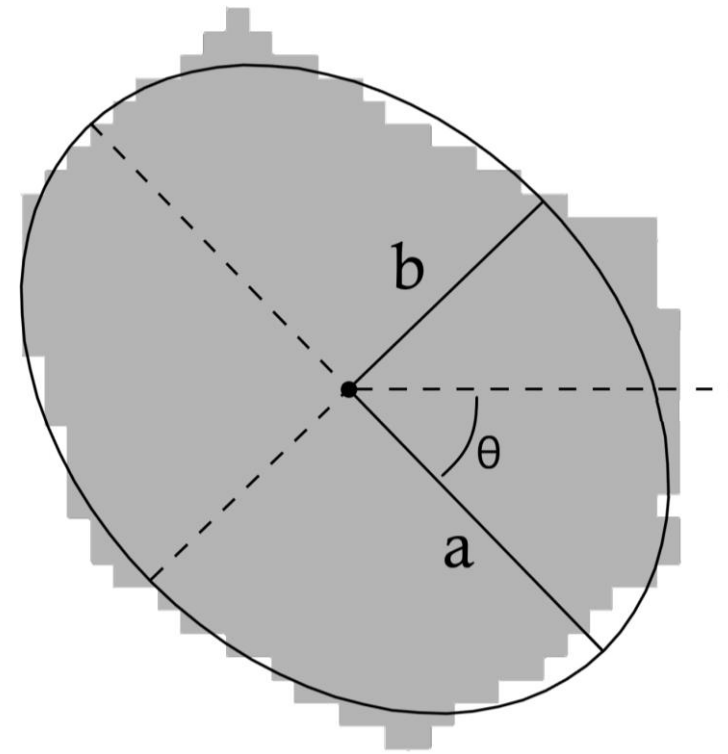
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'structural' features



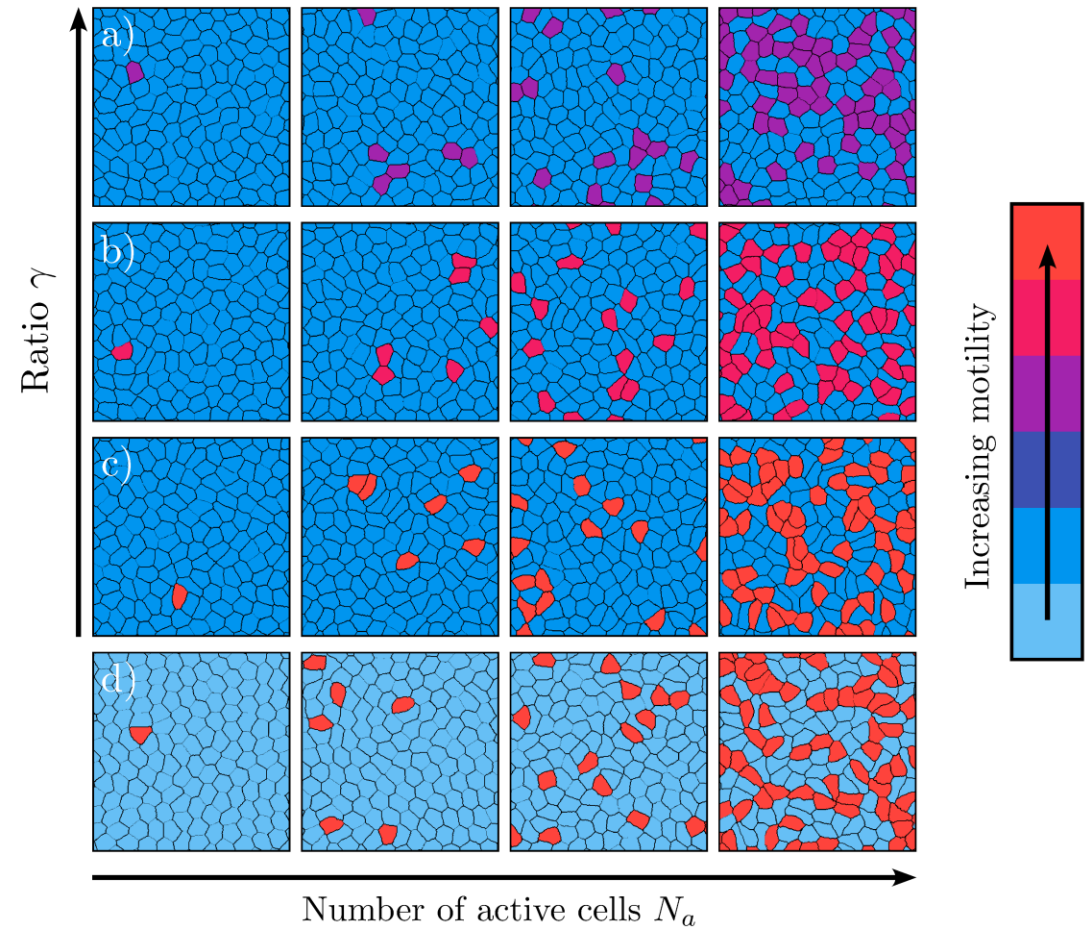
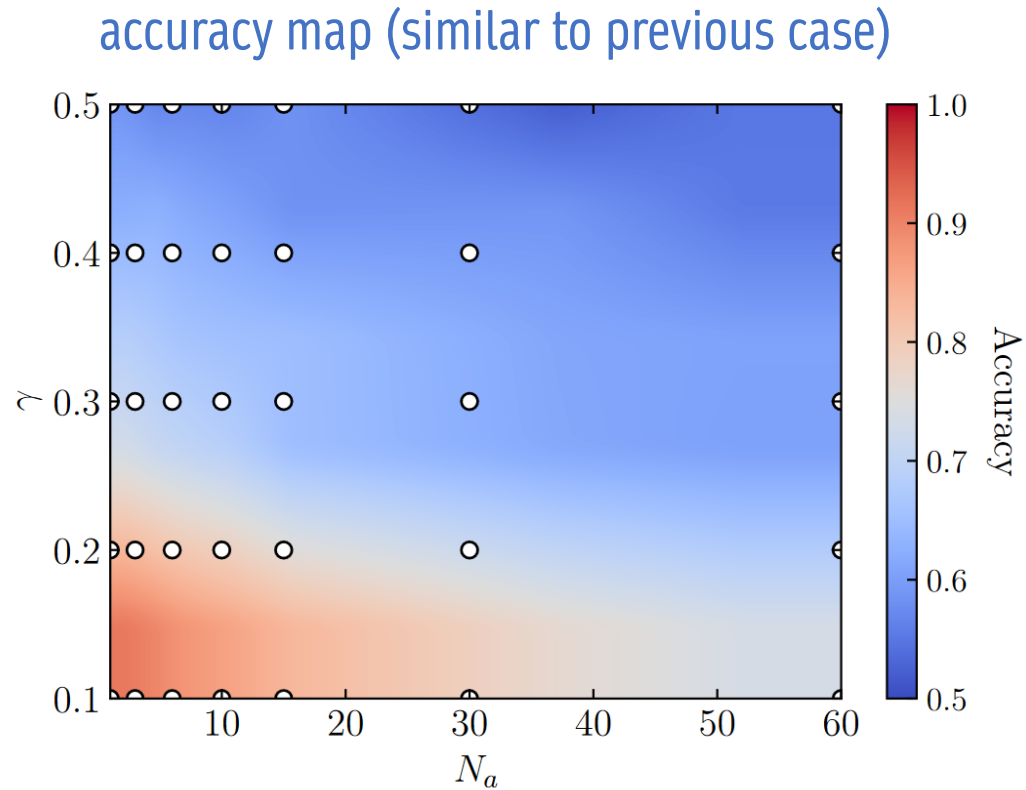
(based on center-of-mass positions)

'shape' features



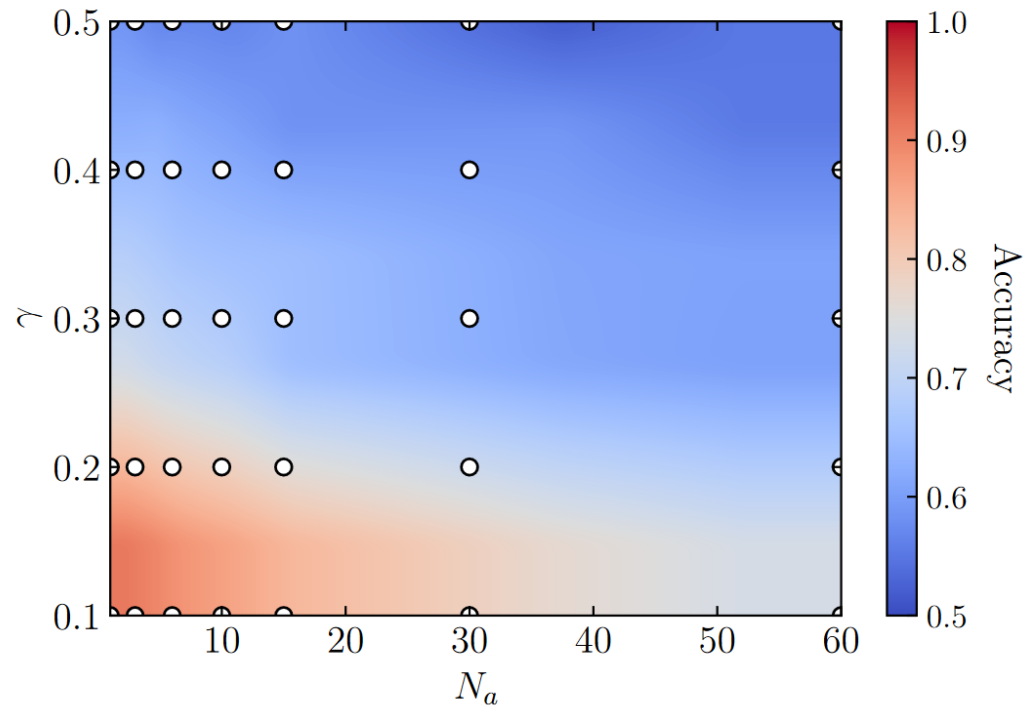
(based on single-cell geometry)

Inferring individual cell motility in a confluent layer from a static image

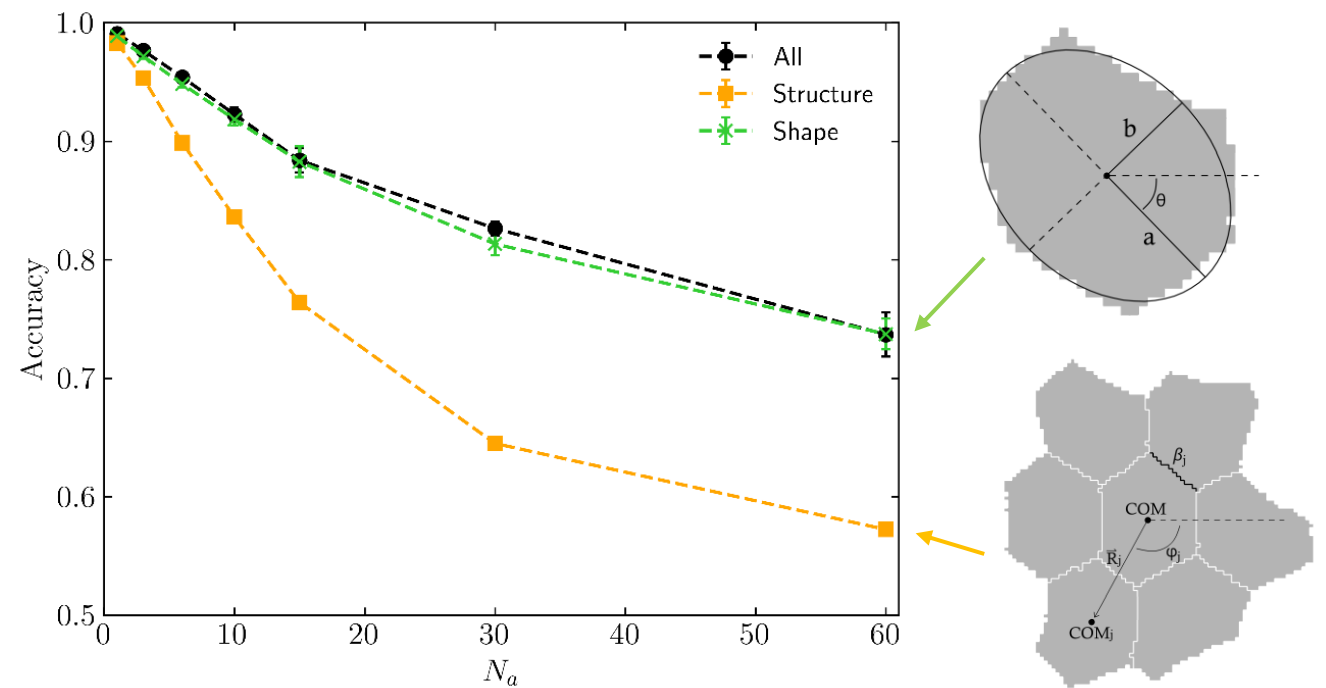


Inferring individual cell motility in a confluent layer from a static image

accuracy map (similar to previous case)



feature importance analysis

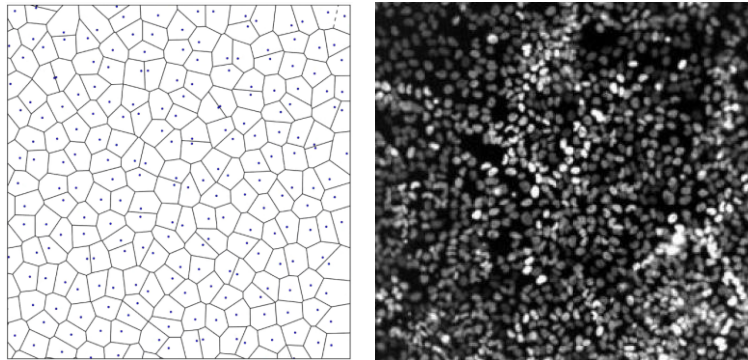


→ individual cell shape is a good* proxy for motility



Collective jamming/unjamming dynamics

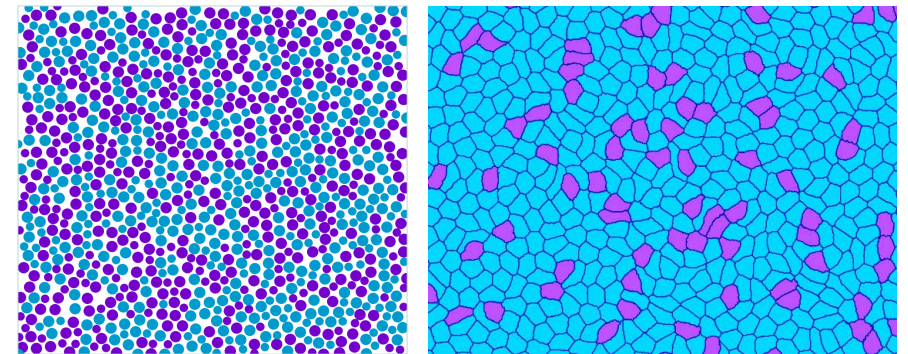
MCT as a novel approach to predict & understand the emergent dynamics of cells from solely structural data



Debets, de Wit, Janssen, PRL (2021), Debets & Janssen, PRR (2022)
Debets & Janssen, JCP (2022), Debets & Janssen, JCP (2023)

Single-cell dynamics

(Voronoi) cell shape is a structural indicator of motility



Janzen et al., EPL (2023)
Baat, Janzen, et al., Soft Matter (2025)

Non-Equilibrium Soft Matter group @ TU Eindhoven



Max Kerr Winter



Simone Ciarella



Chengjie Luo



Vincent Debets



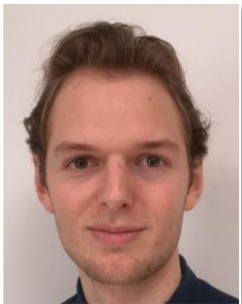
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Leon Hillmann



Kees Storm



Ilian Pihlajamaa



Corentin Laudicina



Quirine Braat



Francis Jose



Jannis Kolker



Marijke Valk



Collaborators: Jim Butler & Jeff Fredberg (Harvard Medical School)